Michal Křížek

LIST OF CITATIONS UNTIL JANUARY 25, 2012

except for self-citations and self-citations of coauthors

Notation:

[A*] Books and proceedings,
[B*] Research papers published in foreign journals,
[C*] Research papers published in Czech journals,
[D*] Papers in reviewed proceedings published abroad,
[E*] Papers in reviewed proceedings published in the Czech Republic,
[F*] Lecture notes,
[G*] Proceedings papers published in the Czech Republic,
[H*] Research reports,
[I*] Surveys,
[J*] Dissertations,
[K*] Papers popularizing mathematics,
[Q*] Citations.

[**A1**] **M. Křížek and P. Neittaanmäki**, *Finite element approximation of variational problems and applications*, Pitman Monographs and Surveys in Pure and Applied Mathematics vol. 50, Longman Scientific & Technical, Harlow; copublished in the United States with John Wiley & Sons, New York, 1990, 239 pp.

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