

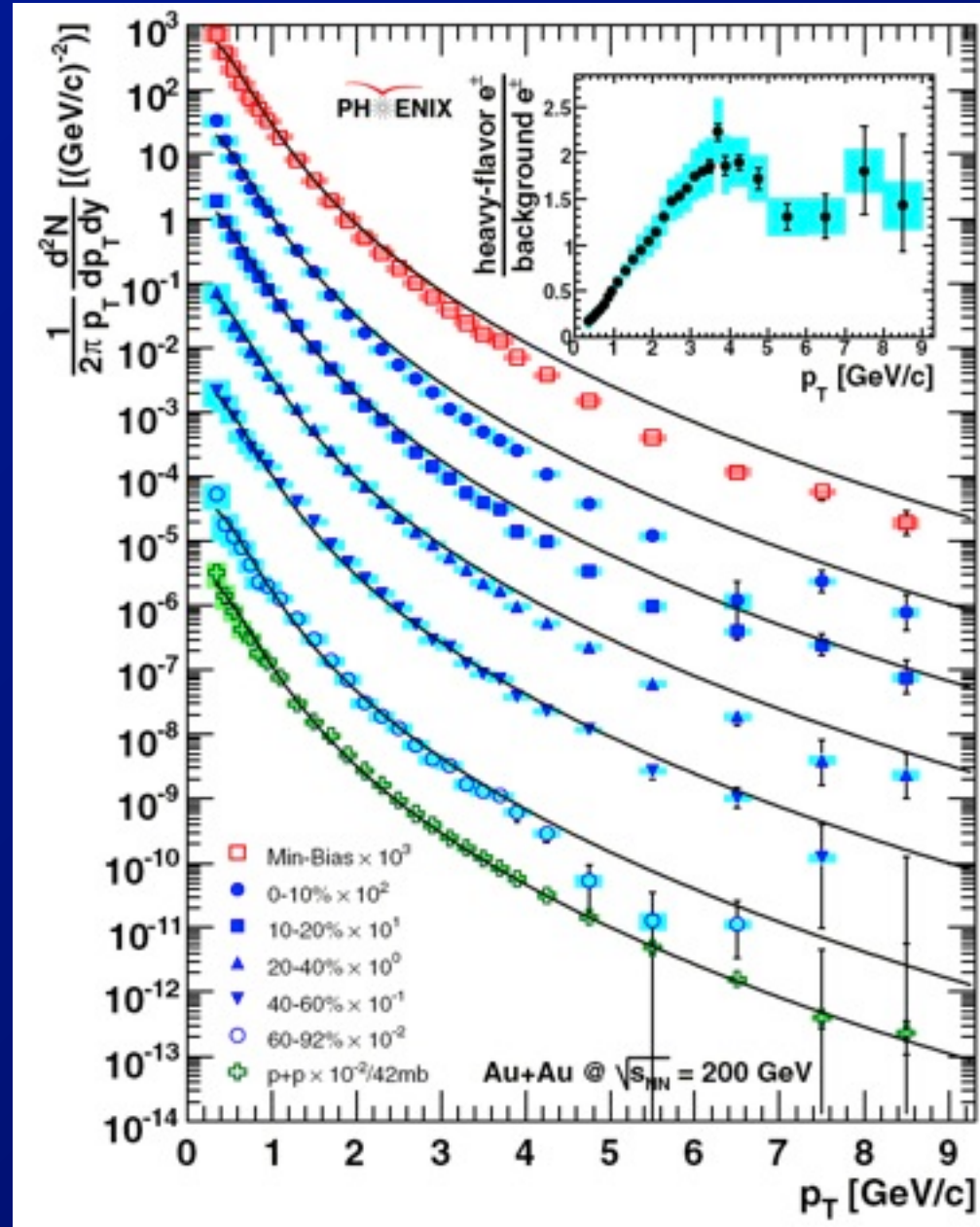
Lecture 3:

Heavy flavor @ RHIC, jet reconstruction, jet measurements in p-p

Brian. A Cole,
Columbia University
September 6, 2013

PHENIX: Heavy Quark Quenching

- Measure via semi-leptonic decays
 - Single $e^+ + e^-$ spectrum
 - 2 methods to estimate (large) backgrounds
 - Direct estimate of backgrounds (cocktail)
 - Data taken with extra converter material
- ⇒ Directly measure



Dead cone

On specific QCD properties of heavy quark fragmentation ('dead cone')

Yu L Dokshitzer, V A Khoze and S I Troyan

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1. Introduction

It is the restriction on the phase space of emitting gluons connected with the kinematics of a heavy quark $Q = c, b, \dots$ which determines the difference of the QCD jet produced by Q from that of ordinary light (practically massless) quarks $q = u, d, s$ (see e.g. [1-3]). Hereafter we shall consider the Q -quark as relativistic ($E_Q \gg M_Q, \Theta_0 \equiv M_Q/E_Q \ll 1$) and taking care of logarithmic effects ignoring small (power) corrections of the order of Θ_0 .

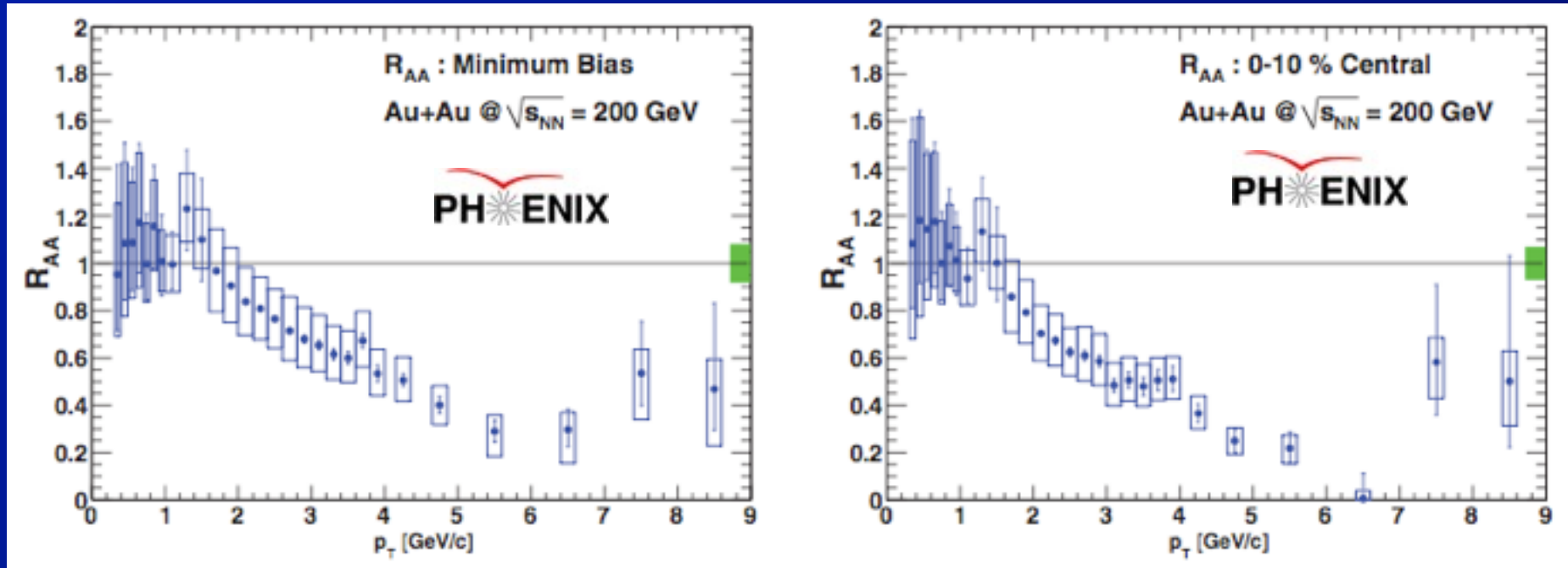
Considering the soft-gluon emission probability (disregarding effects of Γ_Q for the moment)

$$d\sigma_{Q \rightarrow Q+g} = \frac{\alpha_S}{\pi} C_F \frac{(2 \sin \Theta/2)^2 d(2 \sin \Theta/2)^2 d\omega}{[(2 \sin \Theta/2)^2 + \Theta_0^2]^2} \frac{1}{\omega} [1 + O(\Theta_0, \omega)] \quad (1)$$

one concludes that the large logarithmic contribution comes only from the region of relatively large radiation angles

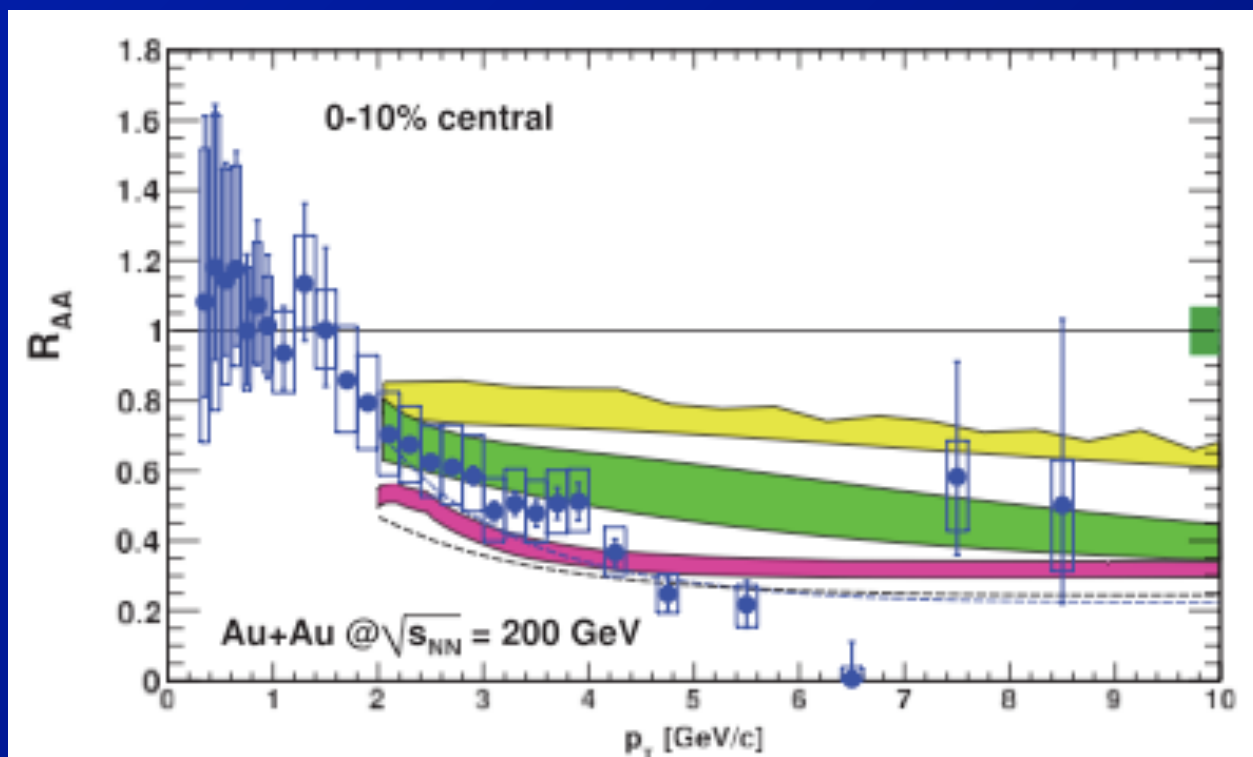
$$\Theta \gg \Theta_0. \quad (2)$$

Heavy quark suppression



- Measure heavy quark production via semi-leptonic decays (B+D) to electrons
 - See suppression comparable to light mesons
 - ⇒ Unexpected due to mass suppression of radiative contributions, especially for b quark.

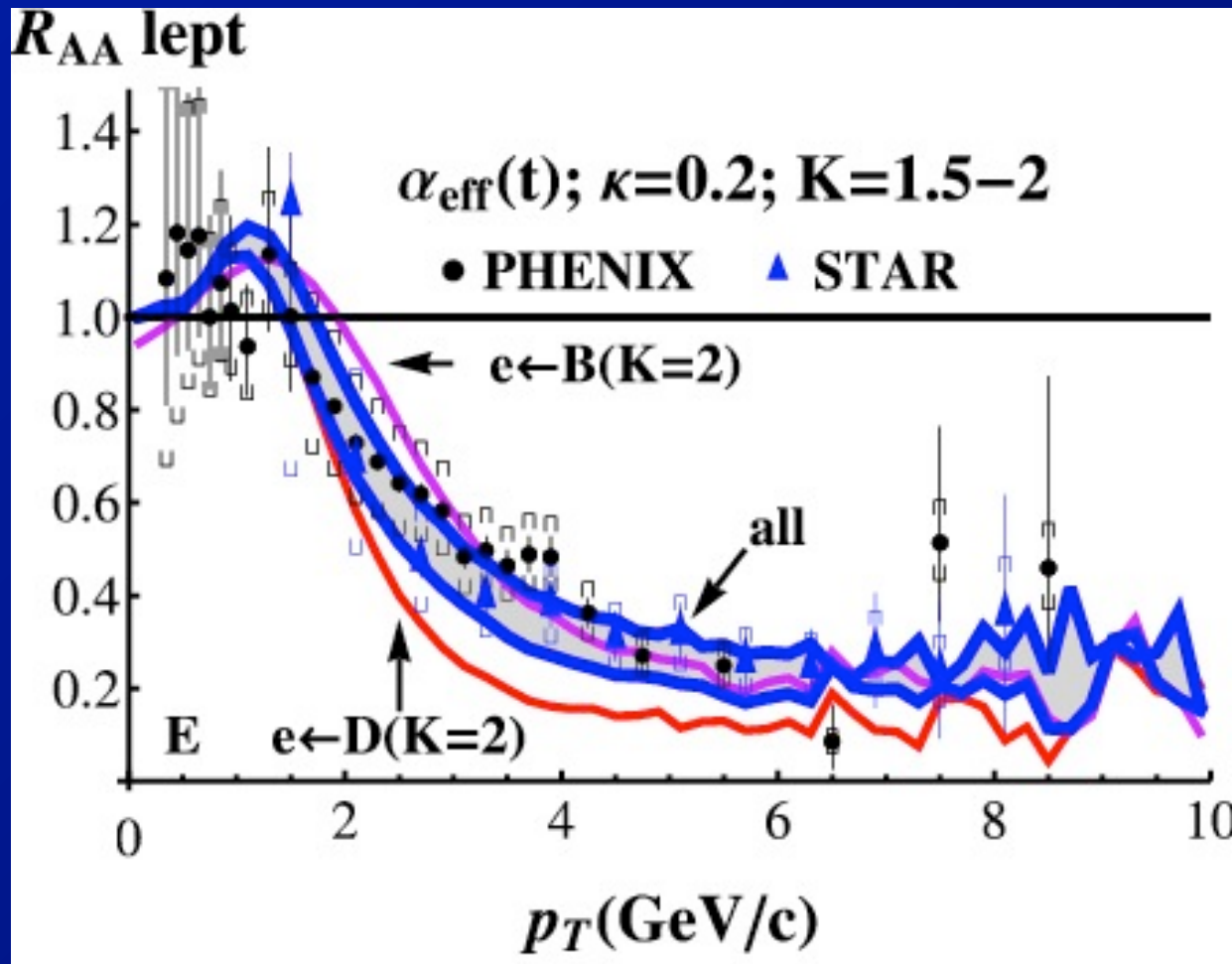
Heavy quark suppression



← Radiative
← Radiative + collisional
← Hadronic dissociation

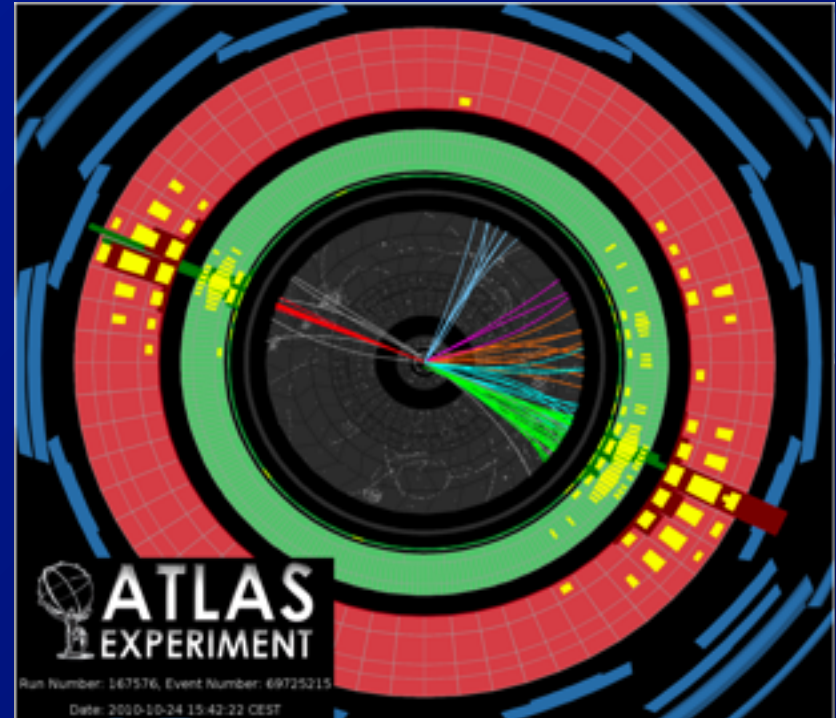
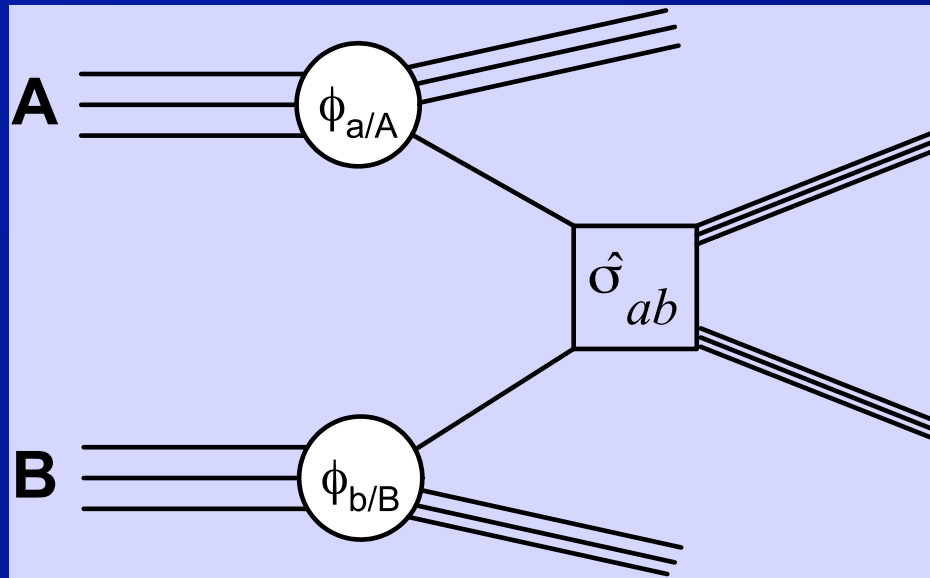
- Heavy quarks provide a valuable test of our understanding of energy loss
 - Large mass changes contribution of collisional and radiative energy loss
 - ⇒ But RHIC semi-leptonic decay data proved challenging to describe theoretically.

Heavy quark suppression



- Recent calculations by Aichelin et al are able to describe RHIC results
 - But only by scaling up the collisional interaction rates by a factor of 1.5-2

Hard Scattering in p-p Collisions



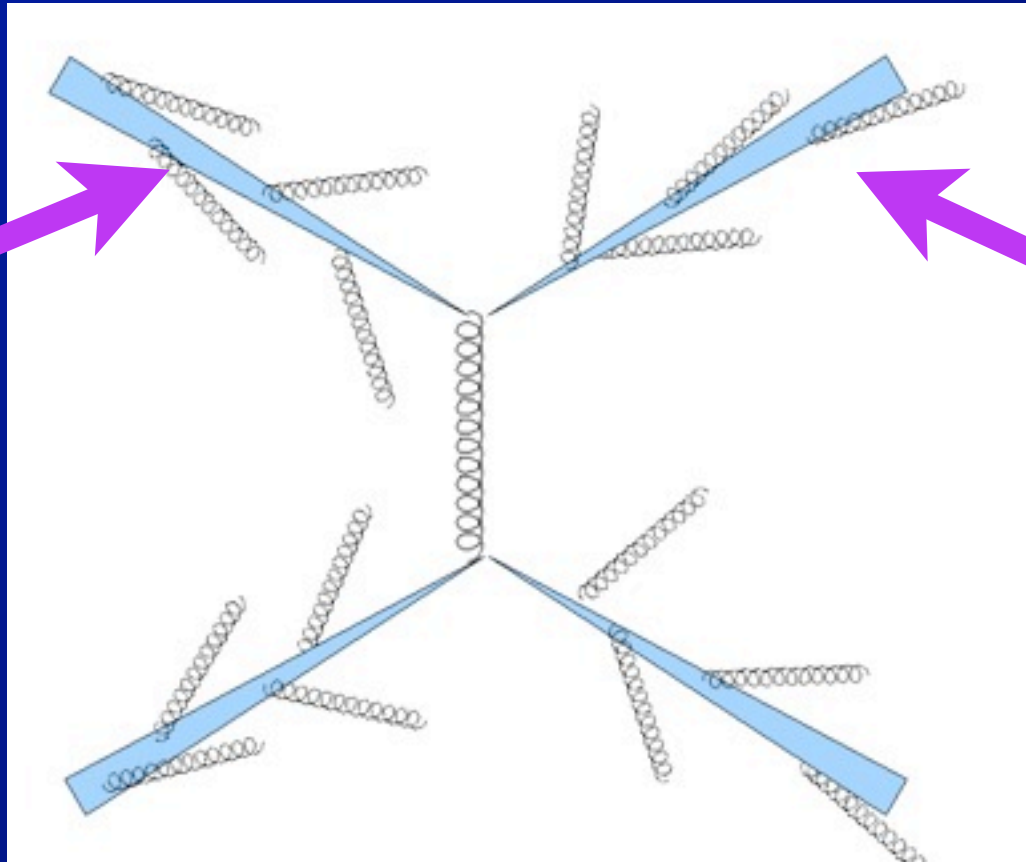
From Collins, Soper, Sterman
Phys. Lett. B438:184-192, 1998

$$\sigma_{AB} = \sum_{ab} \int dx_a dx_b \phi_{a/A}(x_a, \mu^2) \phi_{b/B}(x_b, \mu^2) \hat{\sigma}_{ab} \left(\frac{Q^2}{x_a x_b s}, \frac{Q}{\mu}, \alpha_s(\mu) \right) \left(1 + \mathcal{O} \left(\frac{1}{Q^P} \right) \right)$$

- **Factorization:** separation of σ into
 - Short-distance physics: σ_{ab}
 - Long-distance physics: ϕ 's

Hard Scattering & parton showers

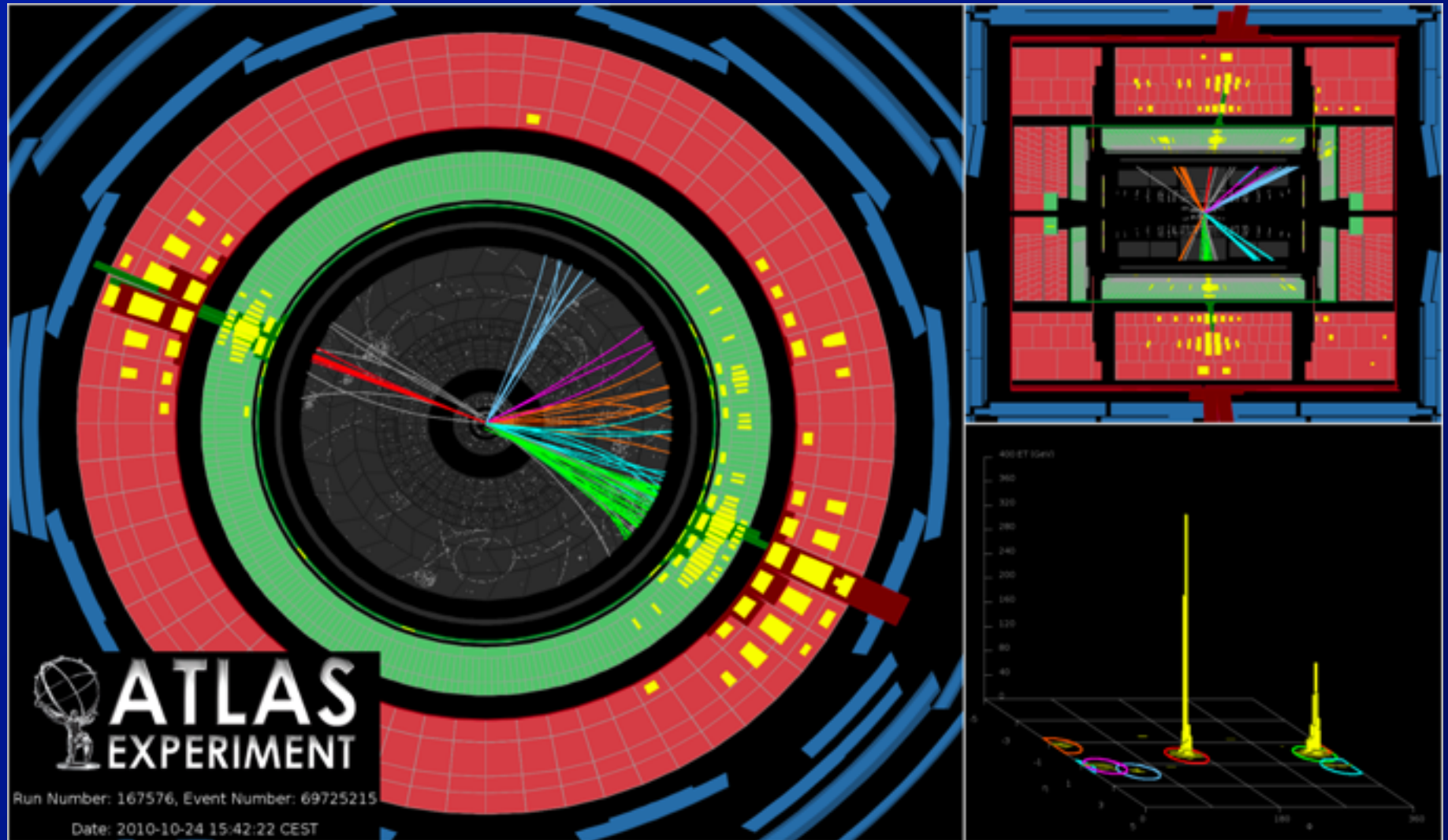
Virtuality
evolution:
low $\rightarrow$ high



Virtuality
evolution:
high $\rightarrow$ low

- **Initial and final state parton showers**
 - Angular ordered (initial and) final state showers as by-product of virtuality evolution.

An ATLAS p-p multijet event



- ➔ Leading jet : $p_T = 670 \text{ GeV}$, $\eta = 1.9$, $\phi = -0.5$
- ➔ Sub-leading jet: $p_T = 610 \text{ GeV}$, $\eta = -1.6$, $\phi = 2.8$

Jet finding algorithms

Cone algorithms

- Start with a center position

- Find all particles, towers, clusters, ... i within a radius $\Delta R = \sqrt{(\eta_i - \eta_c)^2 + (\phi_i - \phi_c)^2}$ of (η_c, ϕ_c)

- Calculate energy, new centroid position

- Snowmass method:

$$\Rightarrow E_{T_c} = \sum_{i \in c} E_{T_i}, \eta_c = \sum_{i \in c} \eta_i \frac{E_{T_i}}{E_{T_c}}, \phi_c = \sum_{i \in c} \phi_i \frac{E_{T_i}}{E_{T_c}}$$

- Iterate until cone is stable

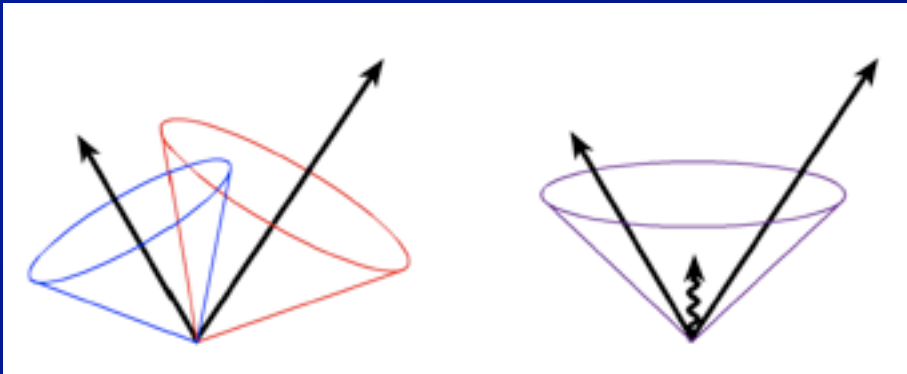
- But, cones can overlap, use same particles,...
- Test if shared energy is larger than some fraction f_{merge}
 - $\Rightarrow$ If so, merge jet, otherwise split.

Cone algorithms

- How to come up with first set of initial cone positions?
 - Ideally seed detector with fine grid of centers
 - ⇒ Iteration will cause most to converge to small set of stable jets
- Computationally challenging
 - So, usual solution is to start with ‘seed’ cones based on particles, towers, clusters, ... above some threshold
 - ⇒ Collinear unsafe
 - ⇒ Sensitive to jet flavor
 - ⇒ Typically detector/experiment specific

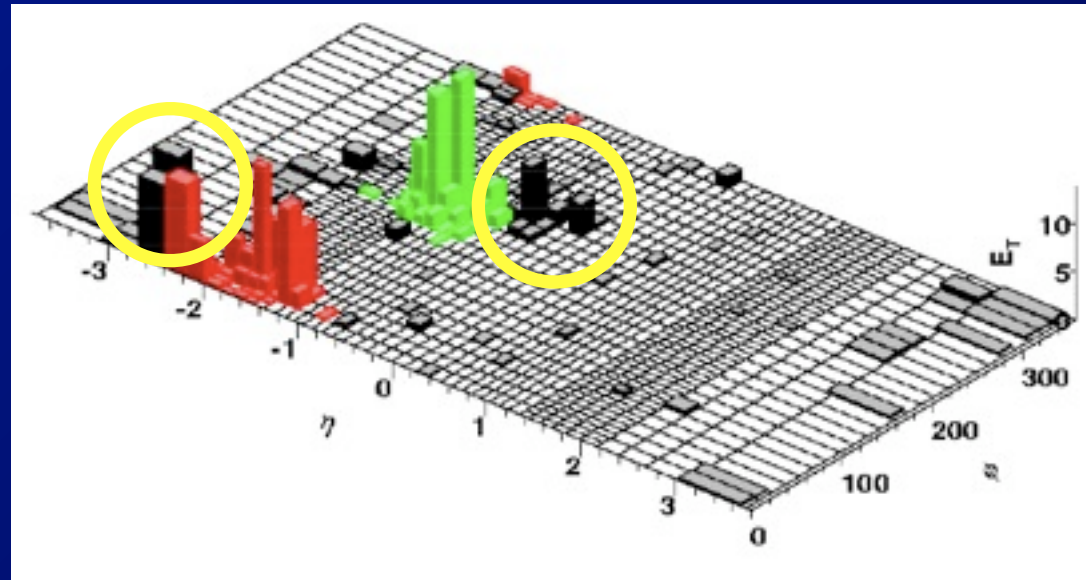
IR (un)safety

- **Cone algorithms are notoriously IR unsafe**
 - addition of a very soft particle can change the topology of jets in a given event.



– “Dark towers”

⇒ energy not put
into any cone.

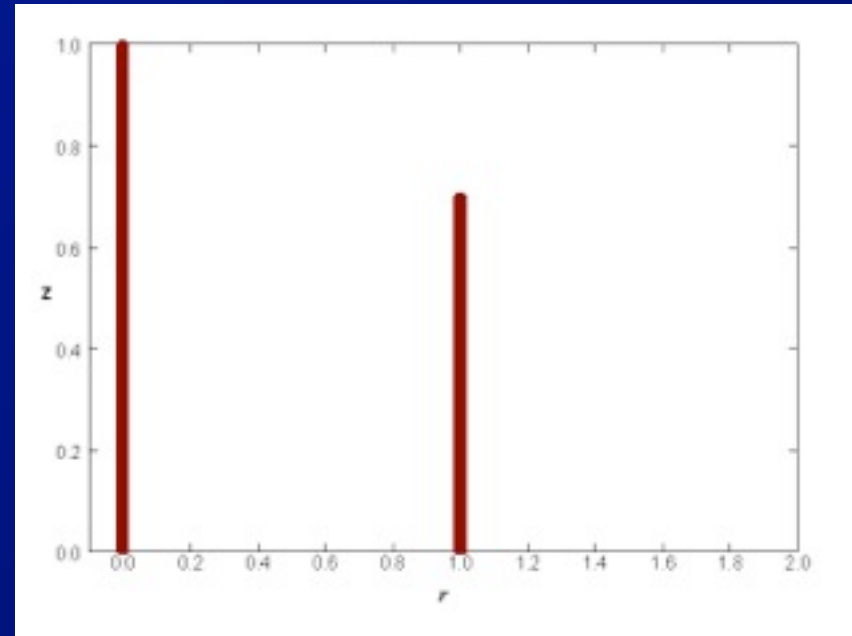
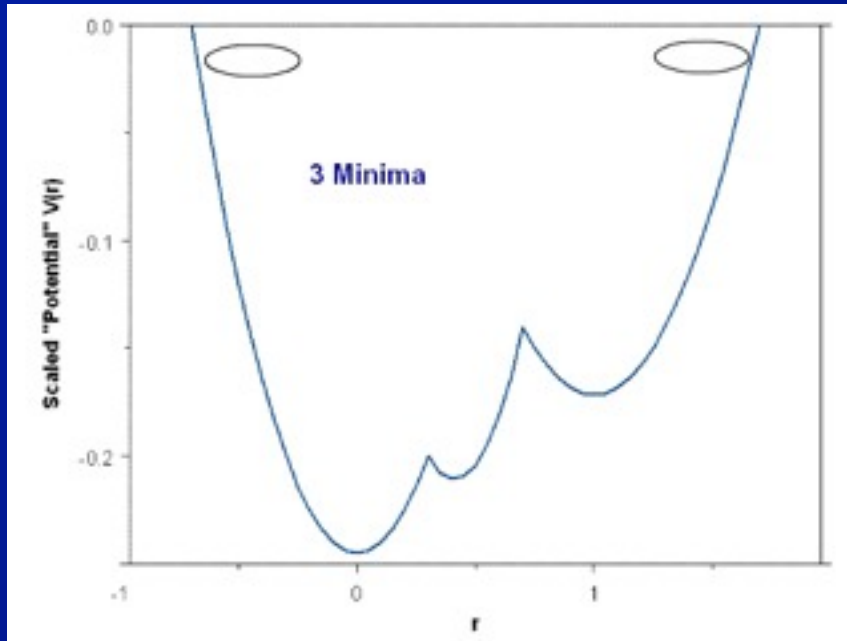


Snowmass potential

- Behavior of cone algorithm can be described by a “potential” in $\vec{r} = (\eta, \phi)$:
 - $V(\vec{r}) = -\frac{1}{2} \sum_i E_{T_i} (R^2 - (\vec{r}_i - \vec{r})^2) \Theta (R^2 - (\vec{r}_i - \vec{r})^2)$
- And a corresponding “force”:
 - $\vec{F} = \sum_i E_{T_i} (\vec{r}_i - \vec{r}) \Theta (R^2 - (\vec{r}_i - \vec{r})^2)$
- Minima of the potential are stable points
 - Force “pushes” trial cone to stable point.
 - $\Rightarrow$ Describes flow of cones in $\vec{r}$

Snowmass potential: split-merge

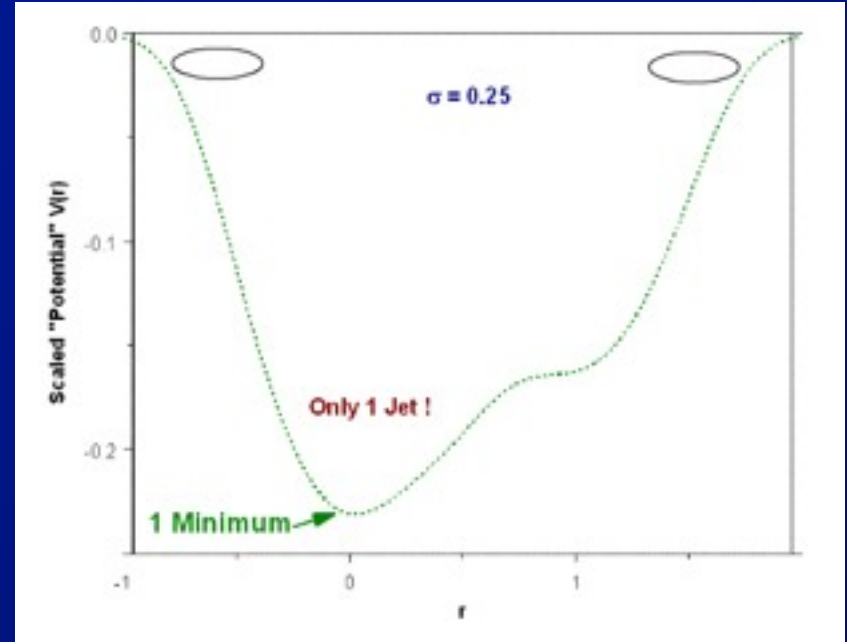
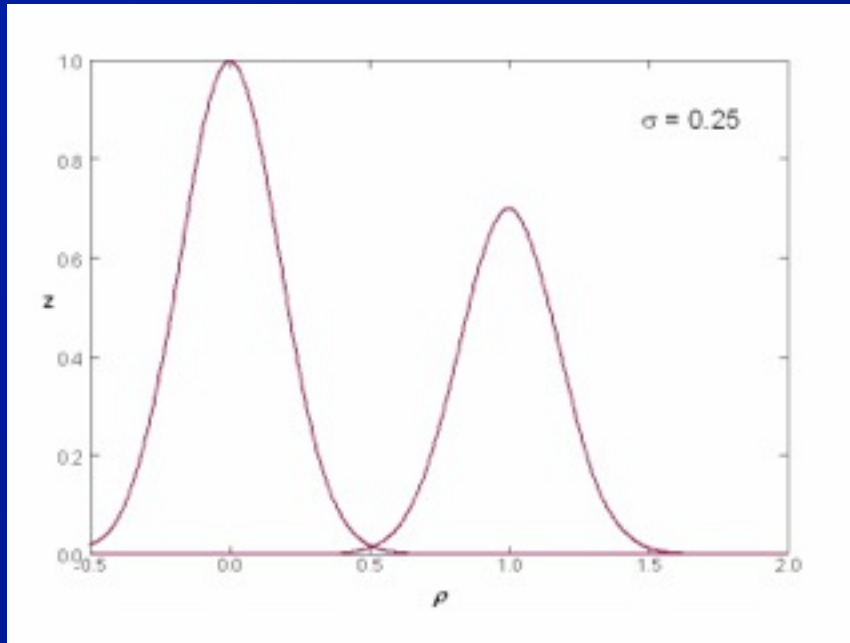
- Example (S. Ellis, Les Houches 2005 talk):



- In principle, 3 minima (middle is combined jet)
⇒ But, seeding may only give separate jets
- Mid-point algorithm
 - Try seed midway between all pairs of jets
⇒ ad-hoc solution to fundamental problem

Snowmass potential: split-merge

- Example (S. Ellis, Les Houches 2005 talk):



– Consider effects of showering, hadronization, experimental resolution

⇒ Can end up with a single minimum

⇒ One example of why there are dark towers

Successive recombination algorithms

- Start with “proto-jets”
 - Particles, towers, clusters, ...
- Define angular distance measure:
 - $D_{ij} = \min \left(p_{T_i}^{2p}, p_{T_j}^{2p} \right) \frac{\Delta R_{ij}^2}{R^2}$, $p = -1, 0, 1$.
 - $\Delta R_{ij}^2 = (\eta_i - \eta_j)^2 + (\phi_i - \phi_j)^2$
- Also, define single-jet “cutoff”, $D_i = p_{T_i}^{2p}$
- From all pairs select minimum of $\{D_{ij}, D_i\}$
 - If D_i is minimum, jet i is final
 - Otherwise combine i and j (below)
- Iterate until all jets are final

k_T algorithm

- k_T algorithm, $p = 1$

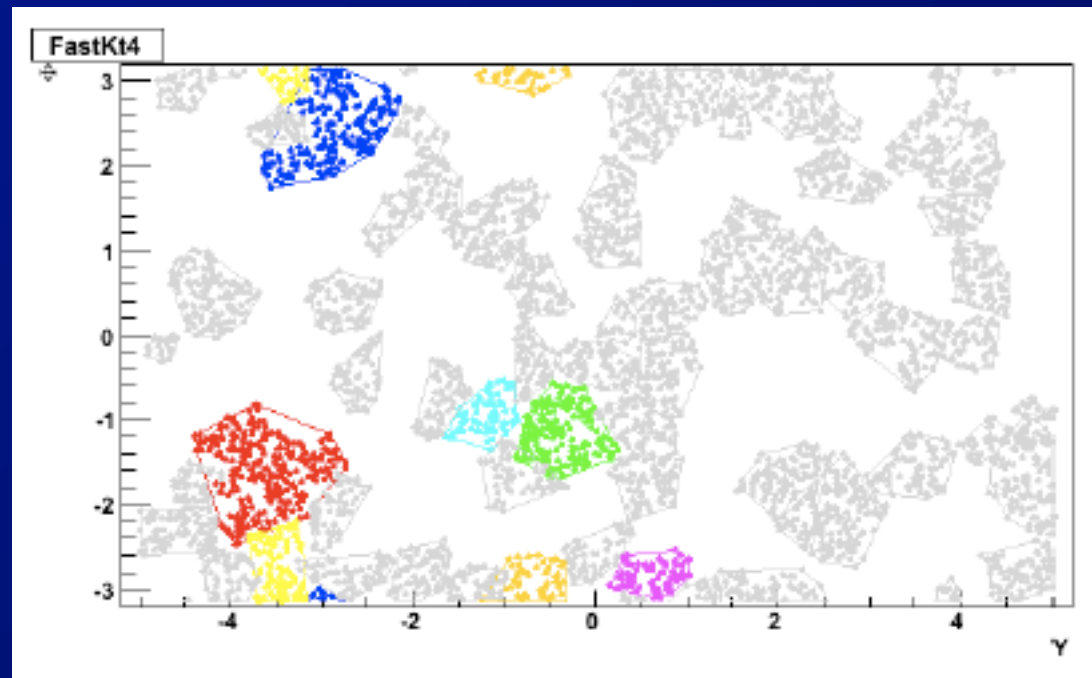
- k_T of pair measured with respect to the higher energy parton

$$\Rightarrow D_{ij} = \min \left(p_{T_i}^{2p}, p_{T_j}^{2p} \right) \frac{\Delta R_{ij}^2}{R^2} \rightarrow \min(k_T^2)$$

$$\Rightarrow k_T \approx p_T \Delta R$$

- designed to reverse pQCD splitting

- tends to make large, lumpy jets

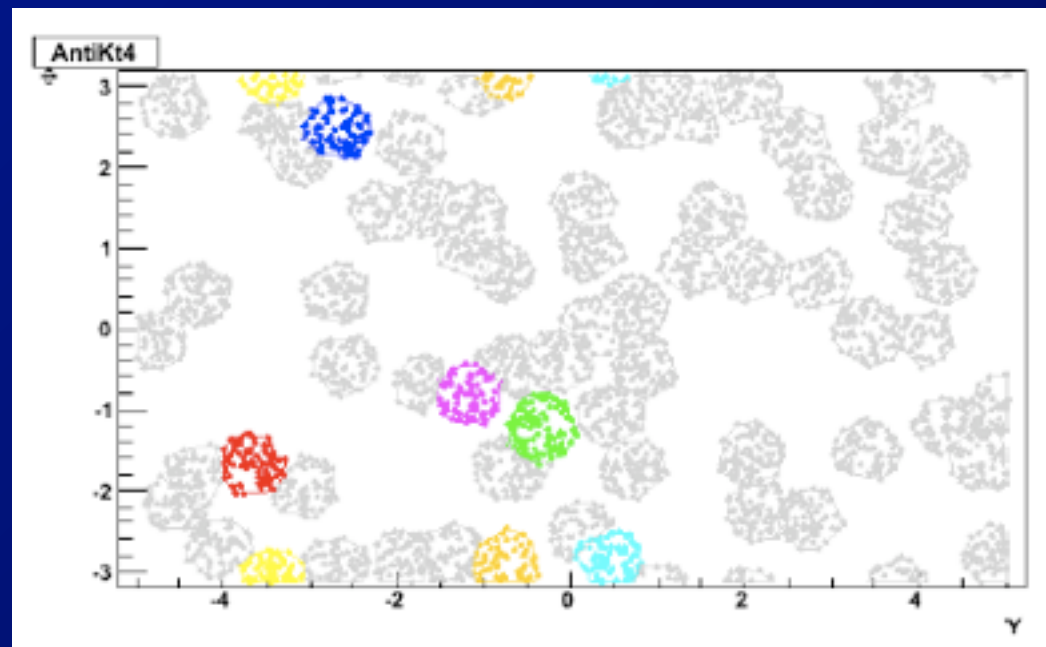


anti- k_T algorithm

- k_T algorithm, $p = -1$

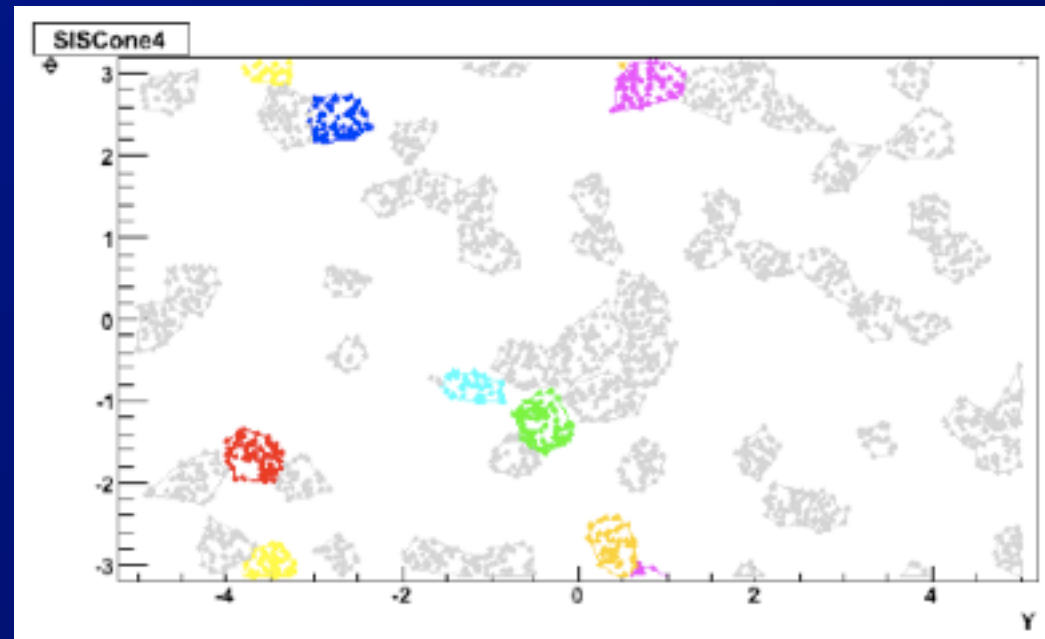
- High p_T proto-jets provide minimum $1/p_T^2$
 - $\Rightarrow$ define stable points around which D_{ij} is measured
 - $\Rightarrow$ Proto-jets get clustered to the local maximum proto-jet out to a radius R .

- anti- k_T algorithm behaves like an IR and collinear safe cone algorithm.



Cambridge-Aachen, SIScone

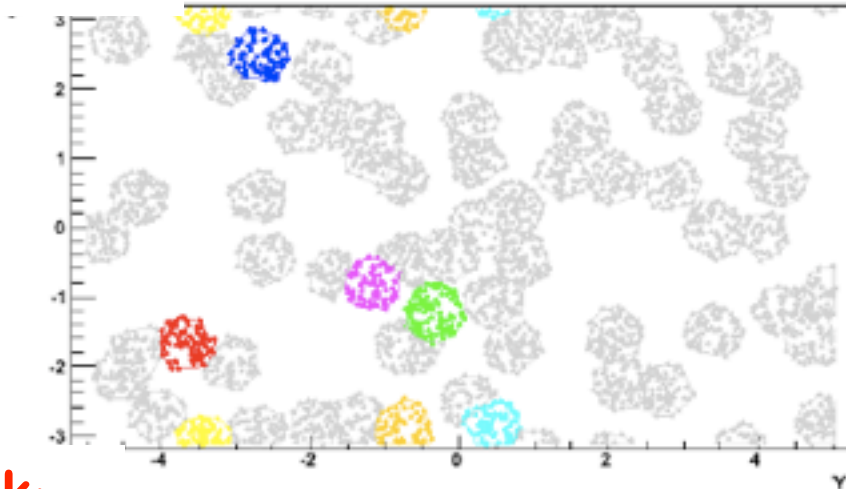
- **Cambridge-Aachen algorithm, $p = 0$**
 - Clusters proto-jets that are closest in angle
 - $\Rightarrow D_{ij} \rightarrow \frac{\Delta R_{ij}^2}{R^2}$
 - Similar in behavior to k_T algorithm
- **SIScone**
 - Seedless, infrared safe cone algorithm by Soyez



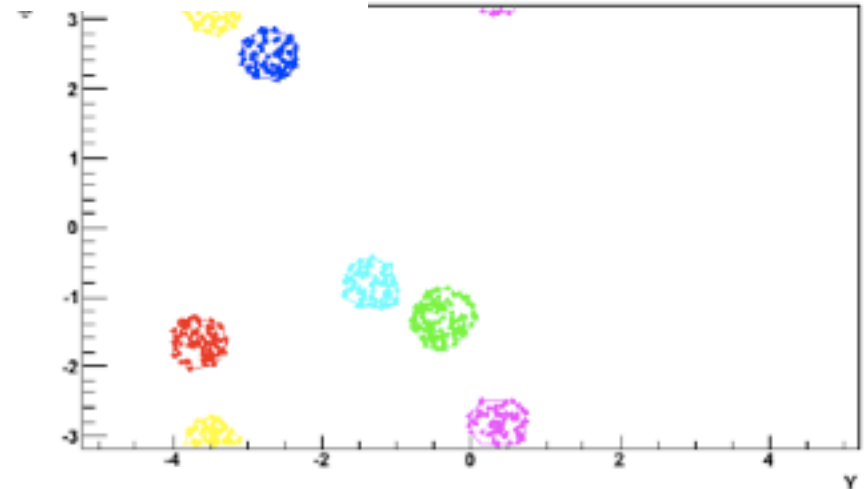
From 2009 talk
by P.A. Delsart

Comparison of jet algorithms

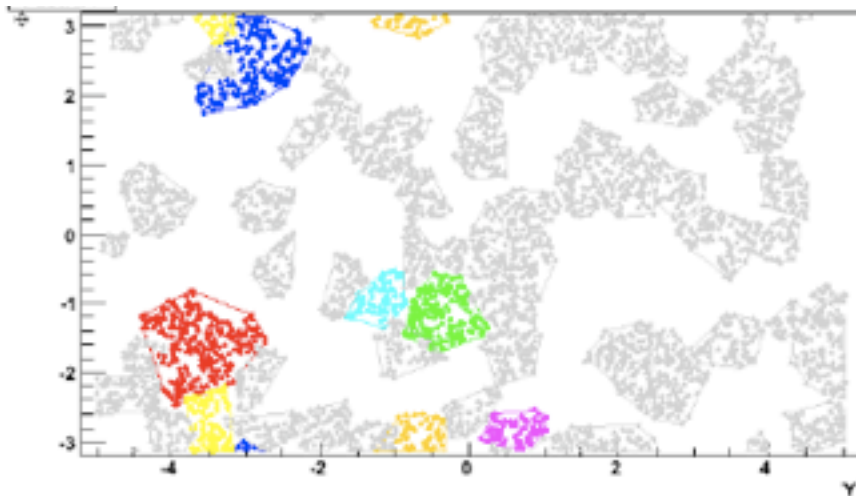
anti- k_t



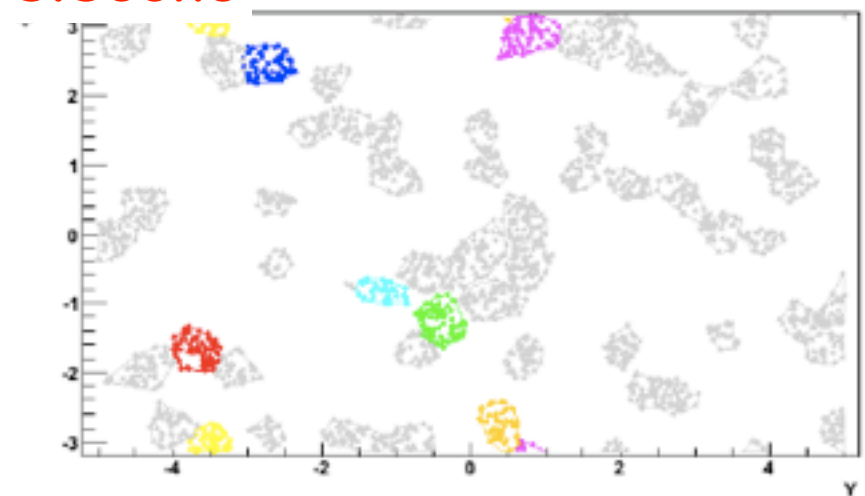
ATLAS cone



k_t



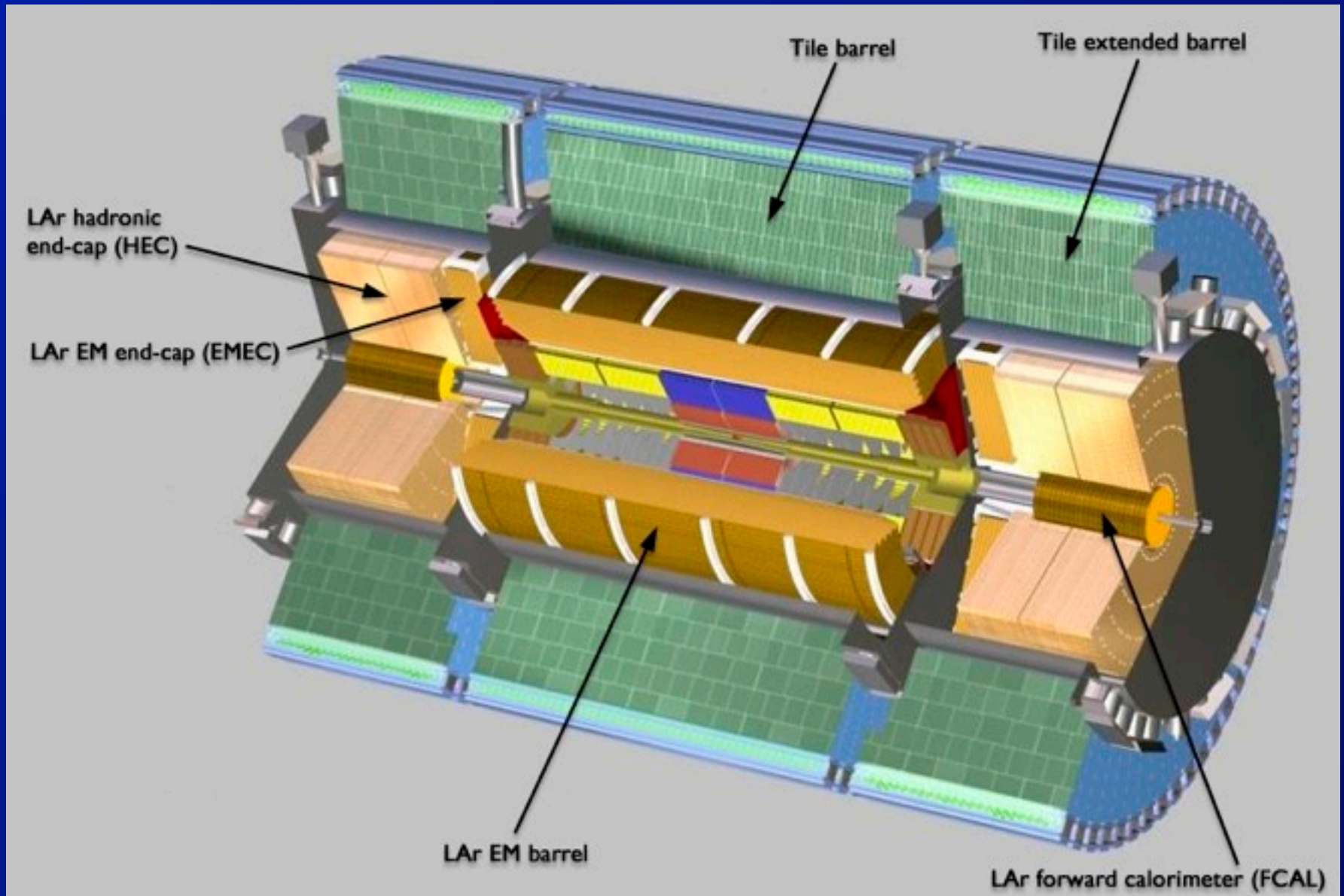
SISScone



- Four algorithms, one event.

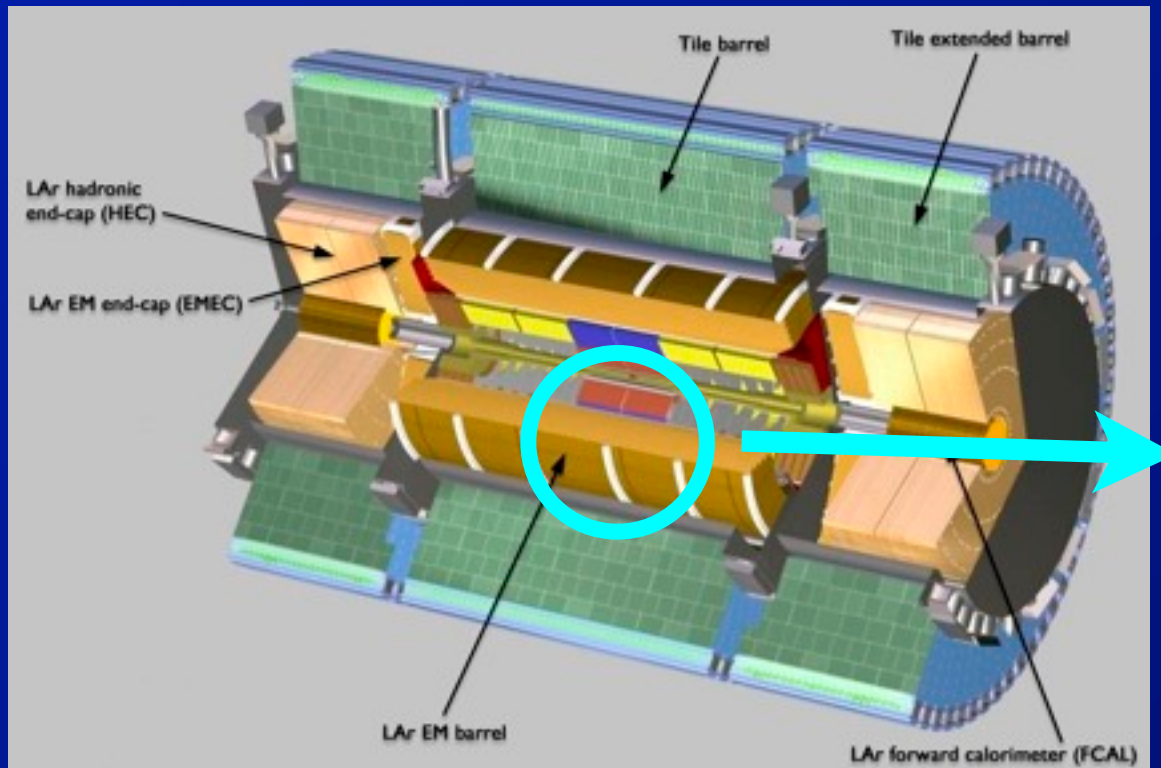
– k_t , anti- k_t , and SISScone are collinear, IR safe

Jet reconstruction: reality

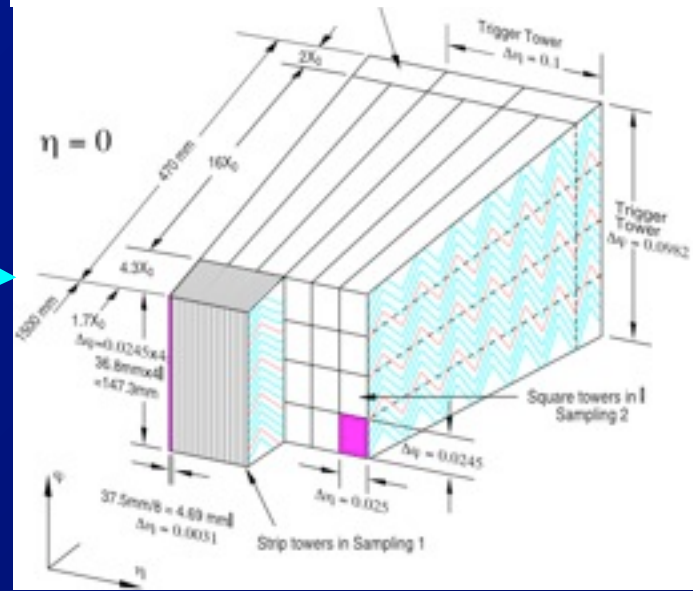


- ATLAS calorimeter system

Jet reconstruction: reality



EM Longitudinal Segmentation

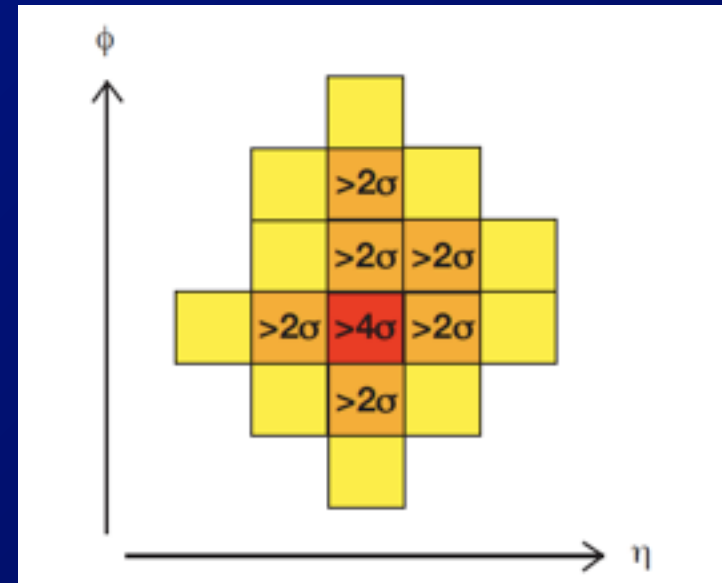


• Details that matter for all calorimeters:

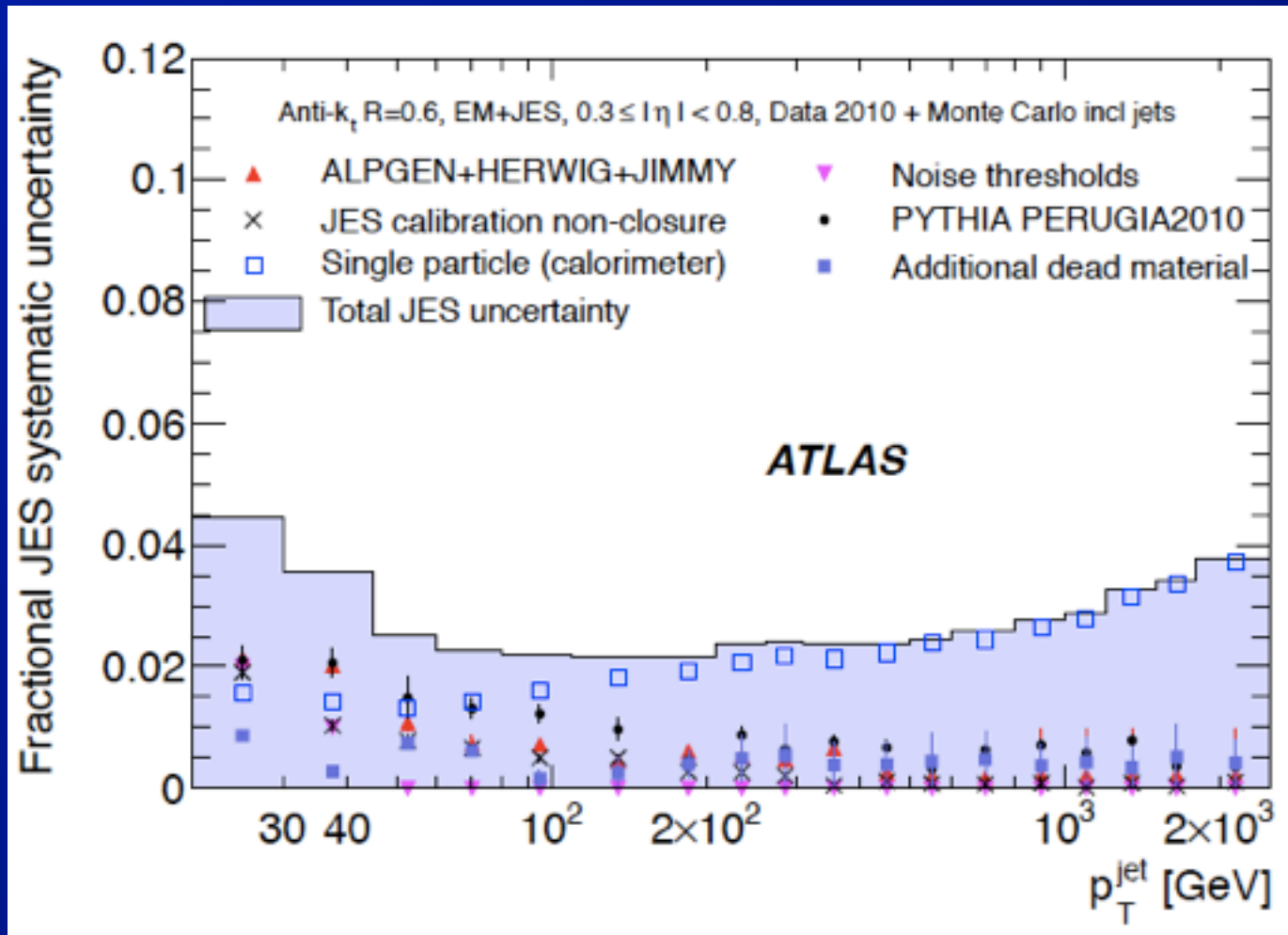
- Technology
- Longitudinal, transverse segmentation
- Hadronic vs electromagnetic response
- Electronic noise
- Dead material

e.g. electronic noise (ATLAS)

- How to reduce contribution of electronic noise to jet measurement?
 - A single jet can include several 1000 cells with noise (σ) varying from 10-500 MeV
 - Can't simply apply a threshold to exclude noise
⇒ produces large upward bias on jet energies
- ATLAS topo-clustering (also D0)
 - Find “seed cell” with energy $> 4\sigma$ noise
 - Collect surrounding cells (including longitudinally) with energy $> 2\sigma$ noise
 - Add a “ring” of cells around edge with no threshold



Jet energy scale

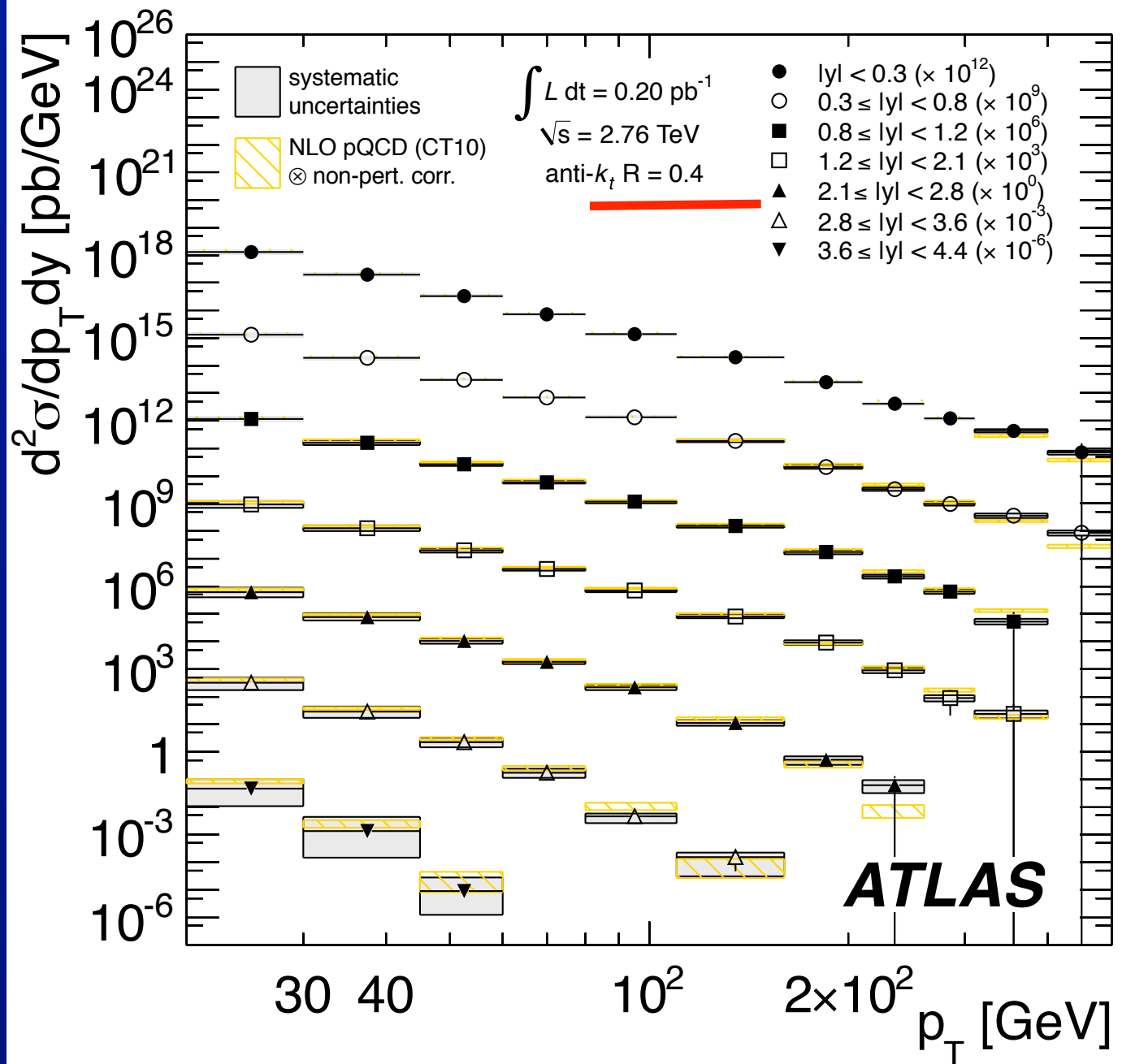


- Systematics on Jet energy scale are usually dominant systematic in any jet spectrum measurement.

p-p jet cross-sections @ 2.76 TeV

ATLAS
arXiv:
1304.4739

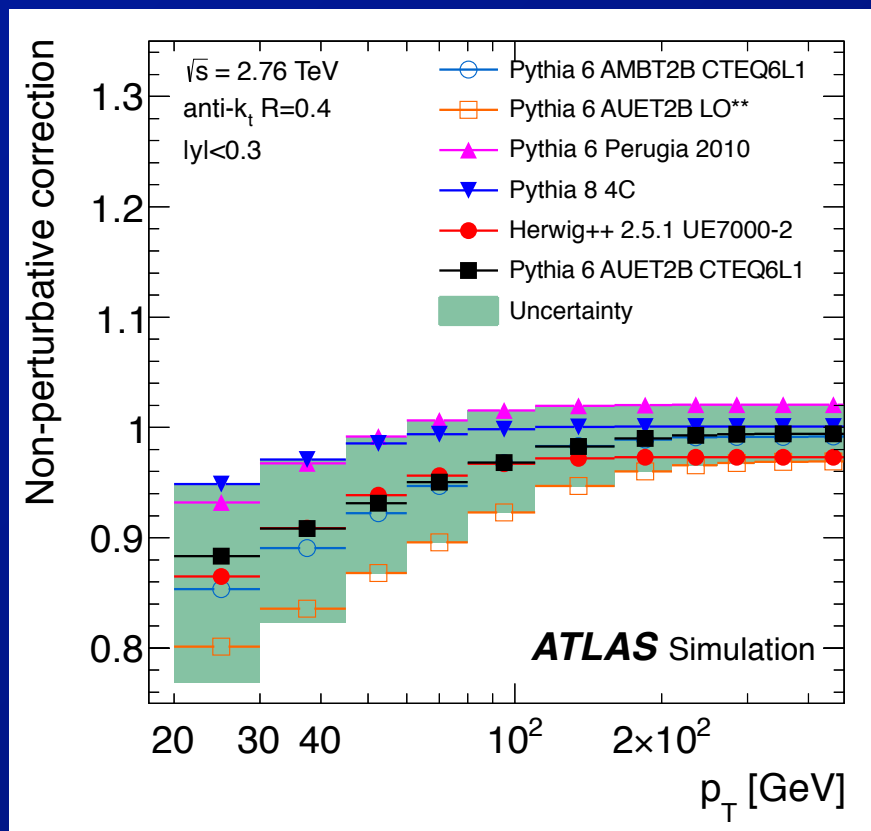
submitted
to EPJC



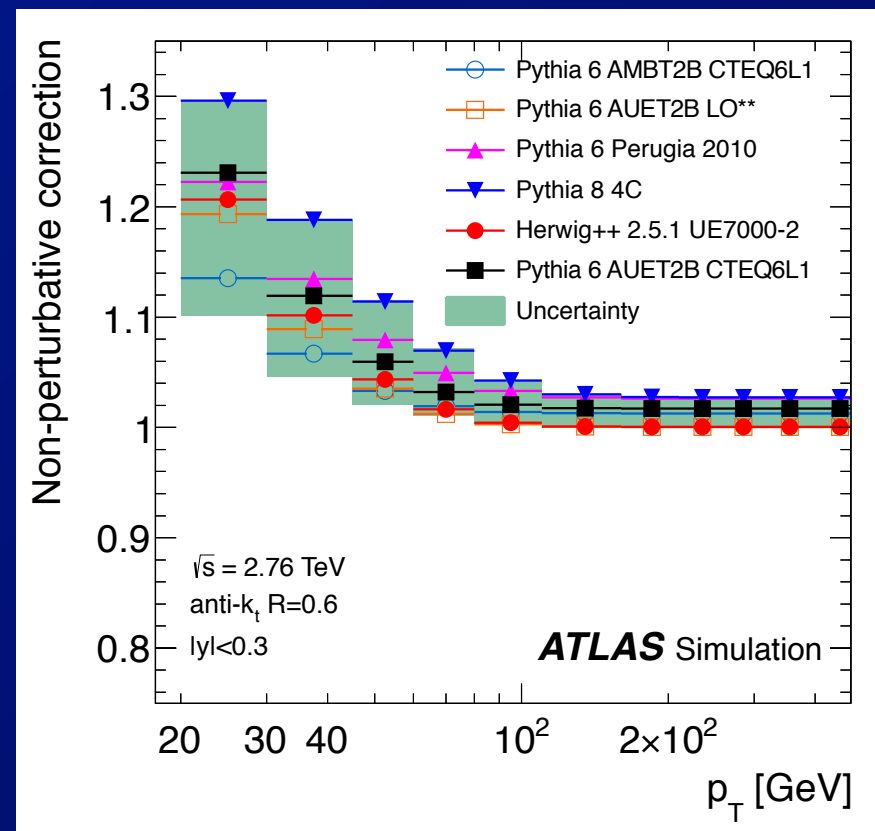
NLOJet++, non-perturbative corrections

- NLOJet is parton-level NLO QCD weighted event generator.
 - “Non-perturbative” corrections due to parton shower, hadronization, UE calculated by PYTHIA

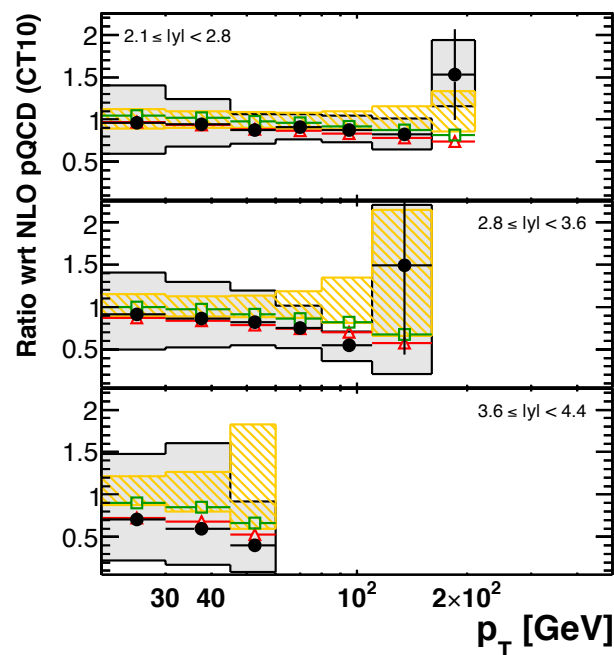
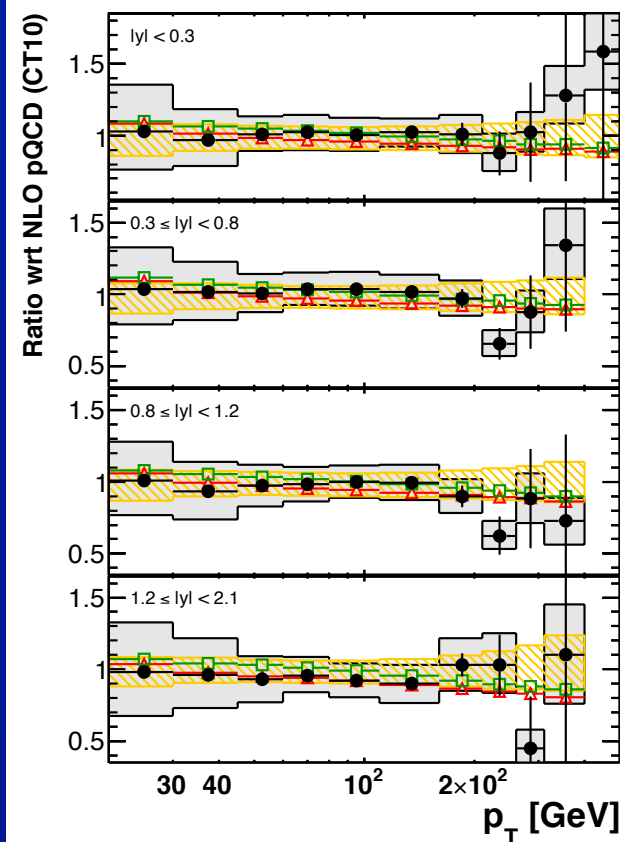
Dominated by out-of-cone loss



Dominated by additional PS jets



NLOJet++ - data comparisons



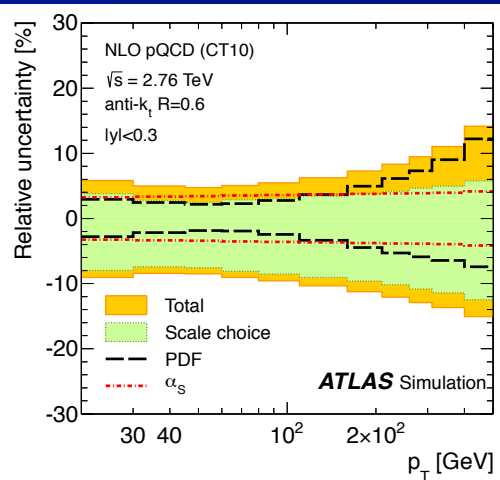
ATLAS

$$\int L dt = 0.20 \text{ pb}^{-1}$$

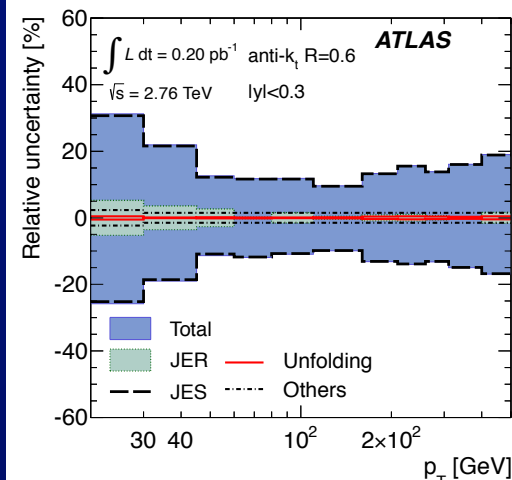
$$\sqrt{s} = 2.76 \text{ TeV}$$

$$\text{anti-}k_t \text{ } R = 0.6$$

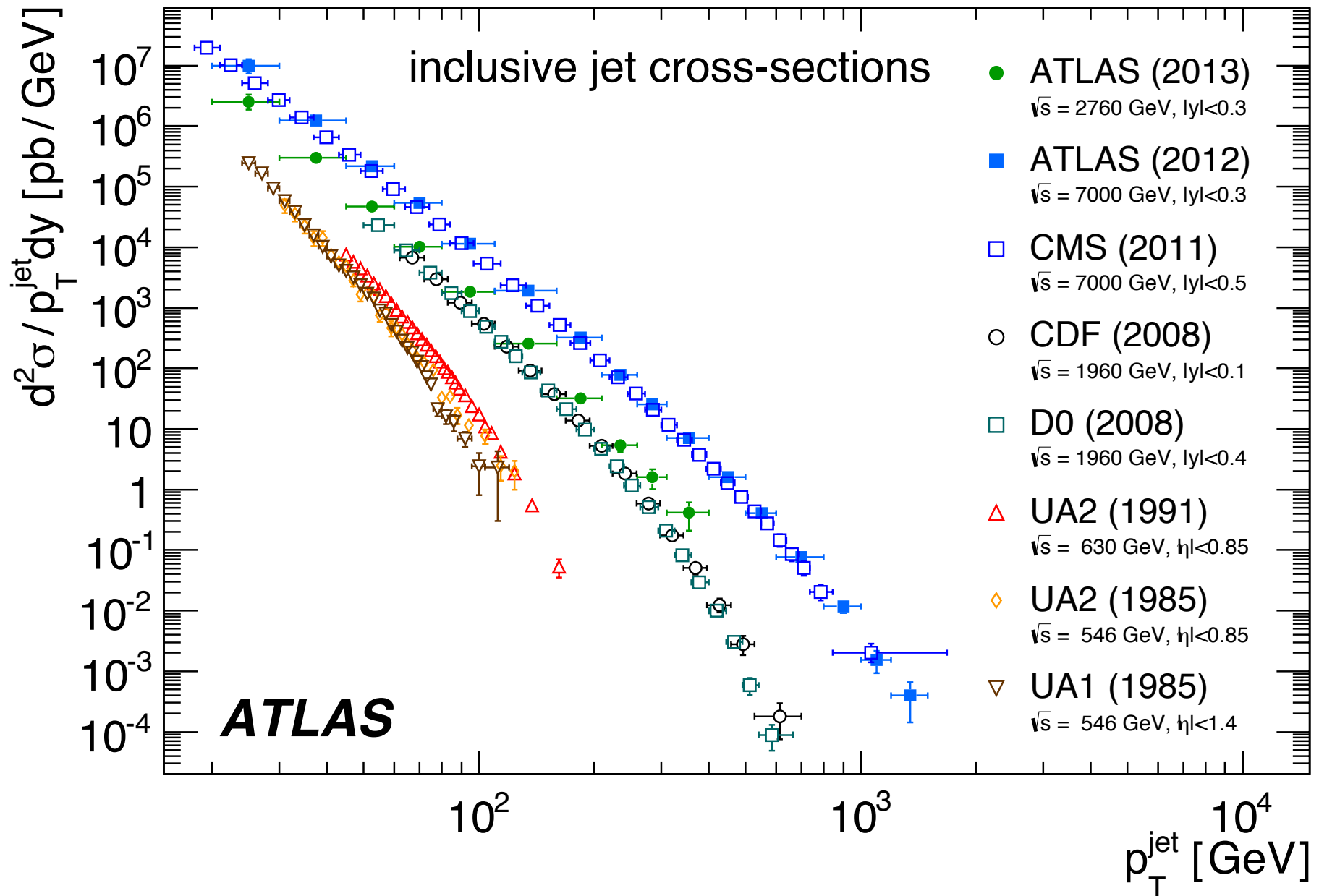
- Data with statistical uncertainty
- Systematic uncertainties
- NLO pQCD ⊗ non-pert. corr. (CT10, $\mu = p_T^{\text{Born}}$)
- POWHEG ⊗ PYTHIA tune AUET2B (CT10, $\mu = p_T^{\text{Born}}$)
- POWHEG ⊗ PYTHIA tune Perugia 2011 (CT10, $\mu = p_T^{\text{Born}}$)



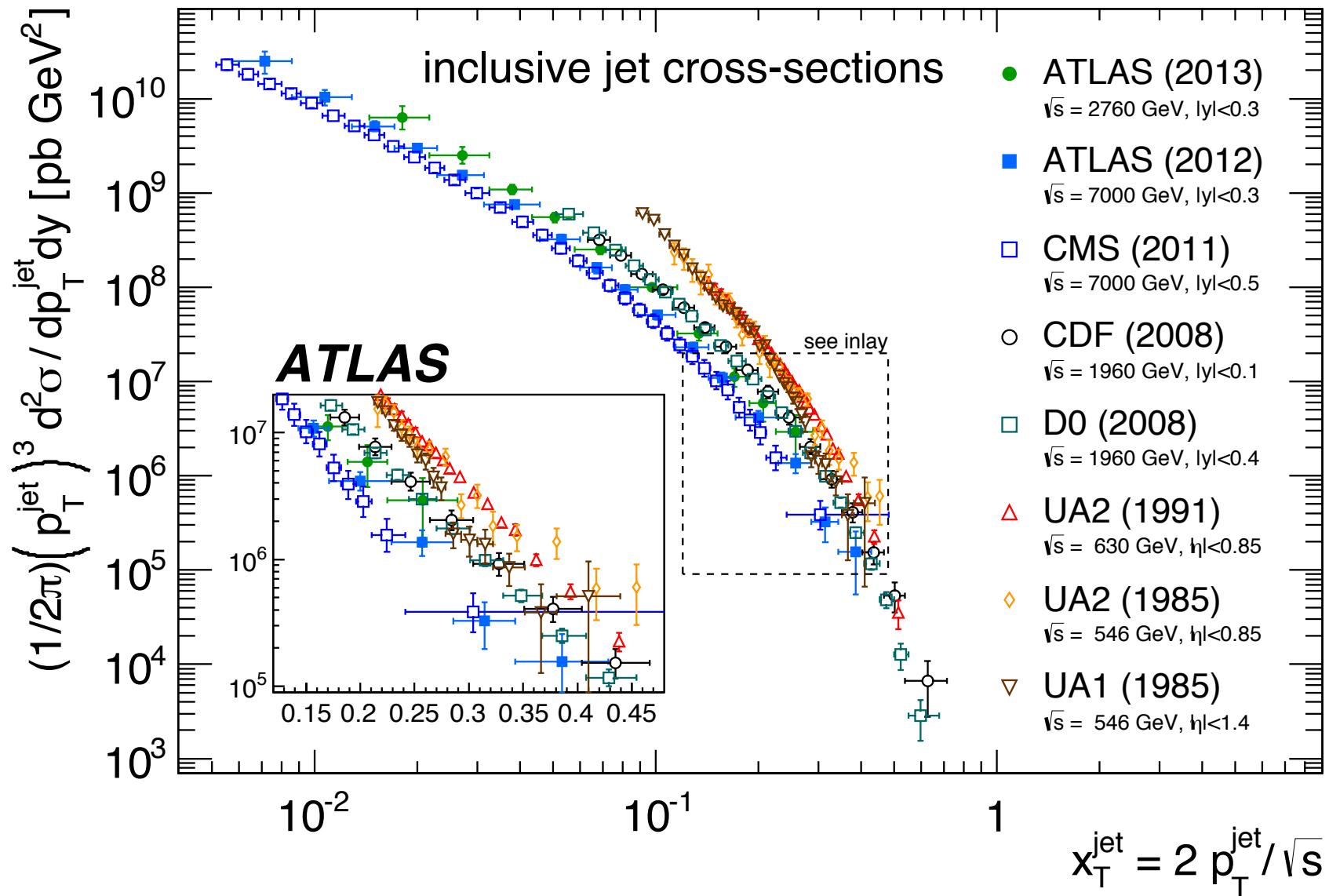
MC and data systematic uncertainties



p-p jet cross-sections @ 2.76 TeV

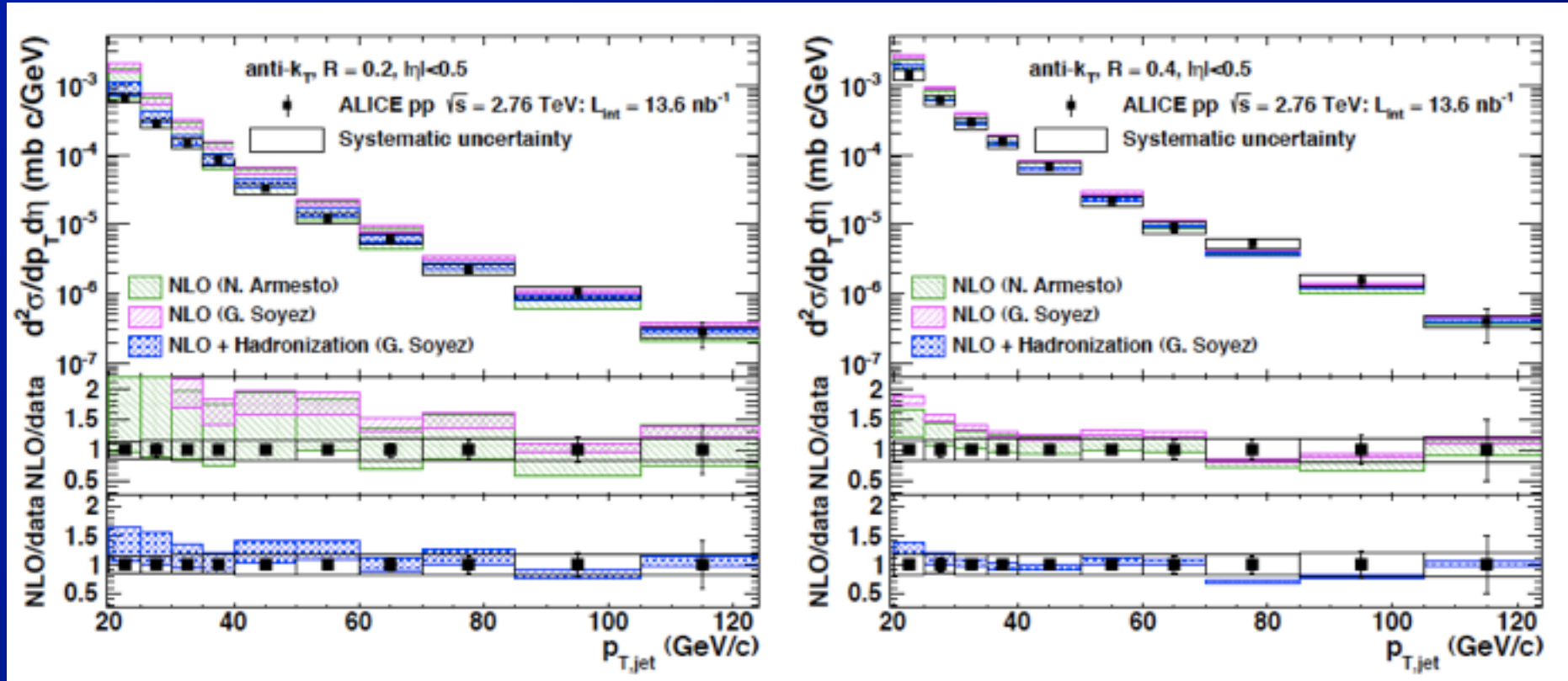


p-p jet cross-sections @ 2.76 TeV



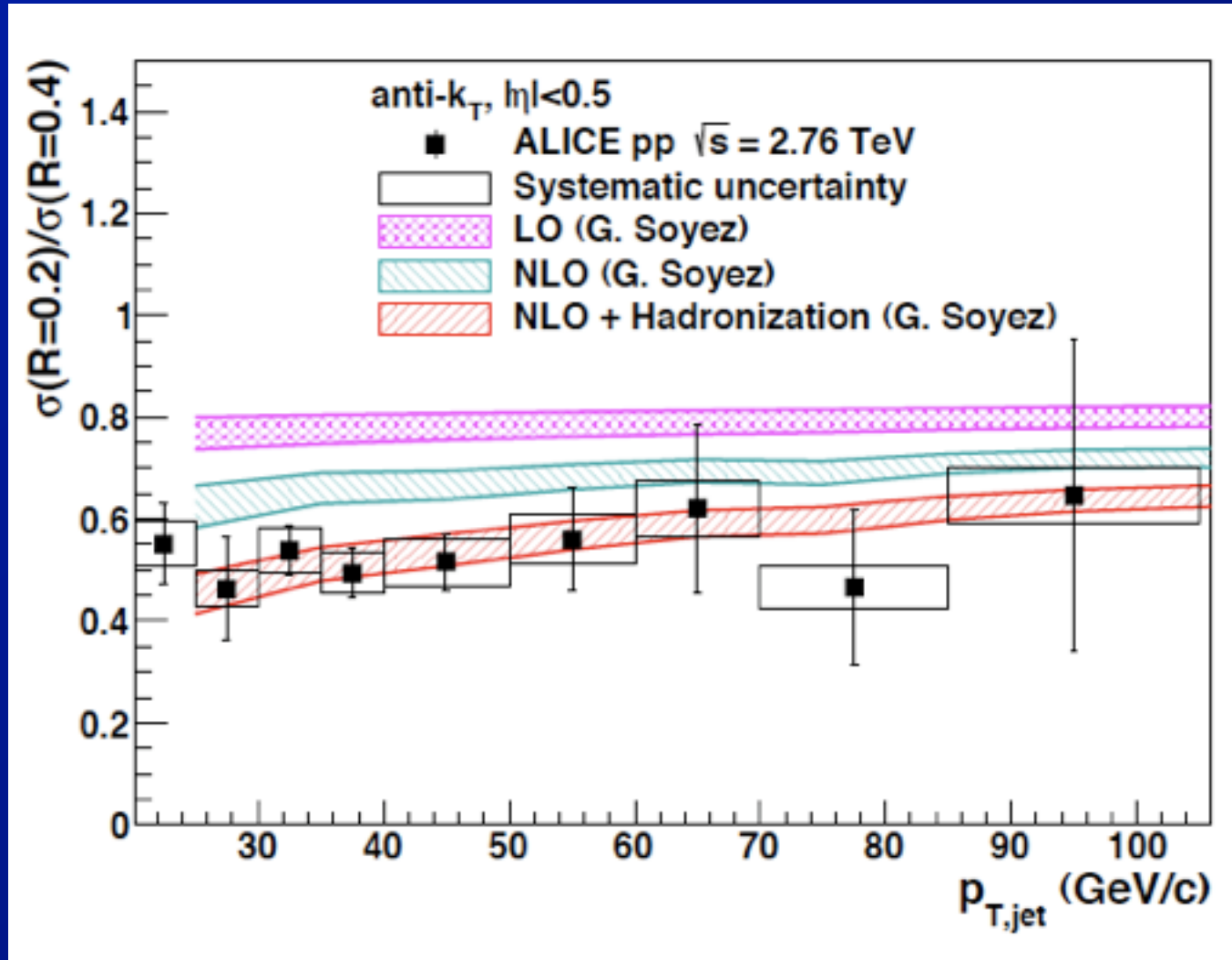
• Different η , y ranges, algorithms, sizes,...

p-p jet cross-sections @ 2.76 TeV



- Measured using TPC tracks + EMCal
 - anti- k_T , $R = 0.2$ (left), 0.4 (right)
- Compared to two different NLO calculations
 - one NLO + hadronization

p-p jet cross-sections @ 2.76 TeV



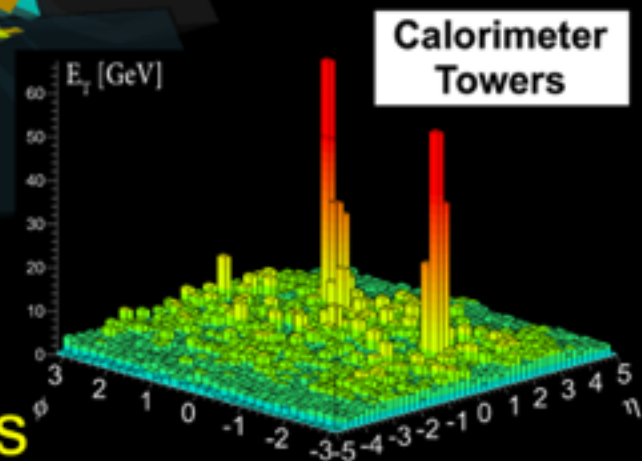
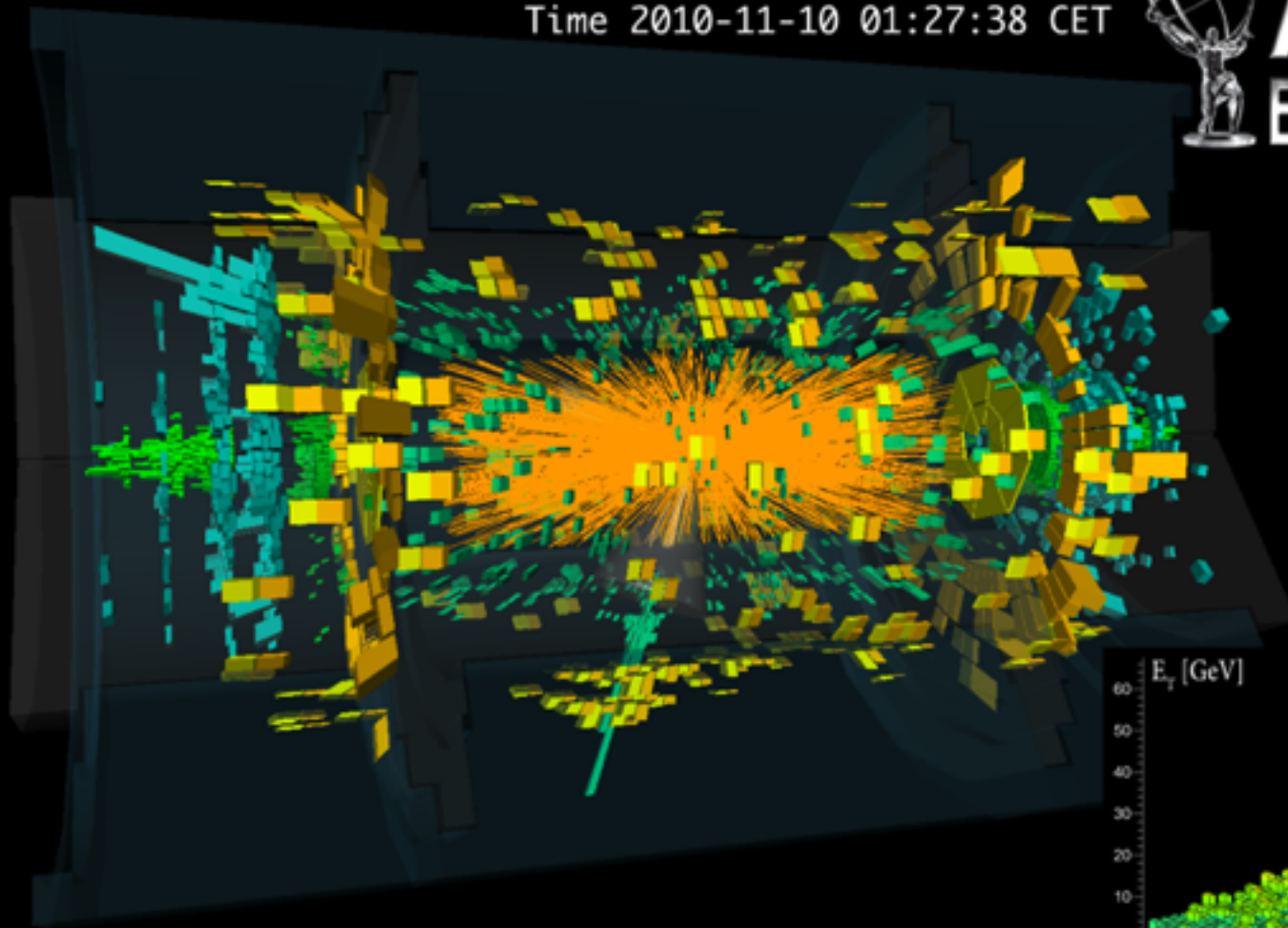
- (analytic) hadronization and (N)NLO make ~ equal contributions to (N)LO calculation.

Heavy ion collisions

Run 168875, Event 1577540
Time 2010-11-10 01:27:38 CET

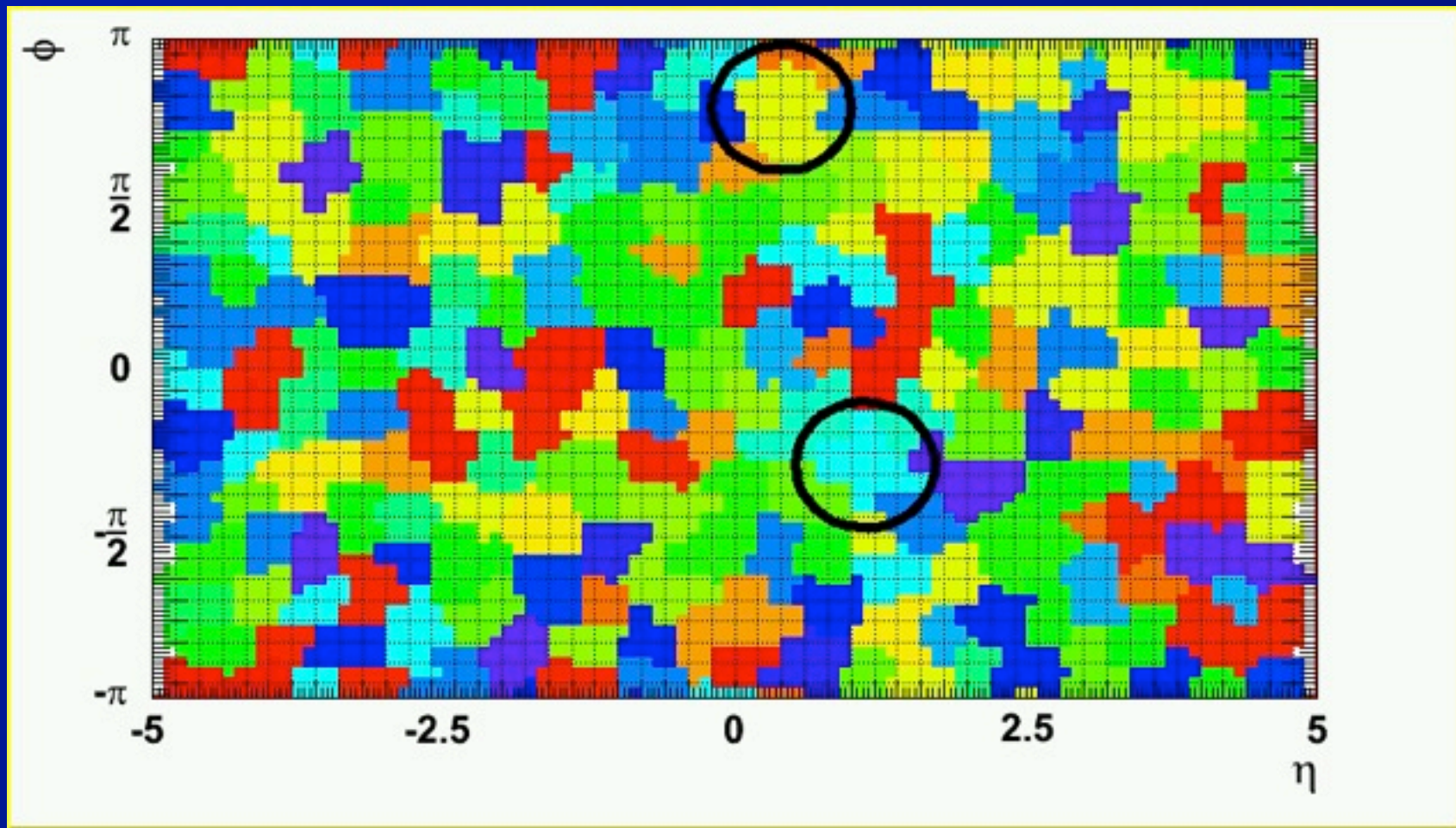


ATLAS
EXPERIMENT



Heavy Ion Collision Event with 2 Jets

The starting point



- **Reconstruct (unsubtracted) Pb+Pb event**
 - Here, for demonstration, with k_t algorithm
 - ⇒ But the k_t algorithm is problematic because the background jets “eat” edges of real jets

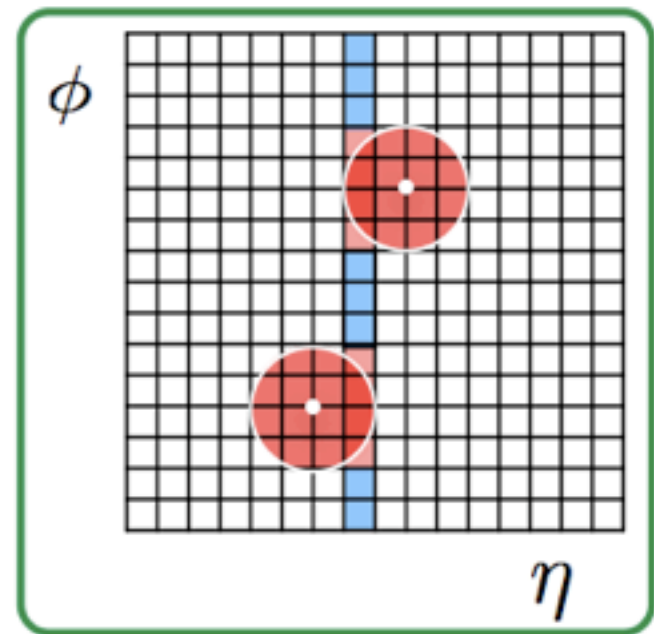
The underlying event

- ~ universal starting point for UE subtraction
 - $E_T^{\text{subtr}} = E_T^{\text{unsubtr}} - \rho A$
 - ➡ But the details are critical
- Important considerations:
 - What kind of objects is subtraction applied to?
 - ➡ Towers, topoclusters, cells, ...
 - How to estimate UE energy density, ρ ?
 - With what granularity?
 - Event -by-event or event-averaged?
 - ➡ But if averaged, need separate measure of μ
 - How to exclude jets, photons, ... from ρ ?

The underlying event (ATLAS)

$$\rho(\eta) = \left\langle \frac{E_T^i}{\Delta\eta^i \Delta\phi^i} \right\rangle_{i \notin \text{jet}, |\eta^i - \eta| < 0.05}$$

- For each Pb+Pb event:
 - For each calorimeter layer:
 - ➡ Calculate an **AVERAGE** (not median!) cell E_T density in $\Delta\eta = 0.1$ intervals
 - ➡ Excluding cells that lie within $\Delta R = 0.4$ of seeds
- Then, apply $E_T^{\text{subtr}} = E_T^{\text{unsubtr}} - \rho A$ to each cell within tower constituents of reconstructed jets

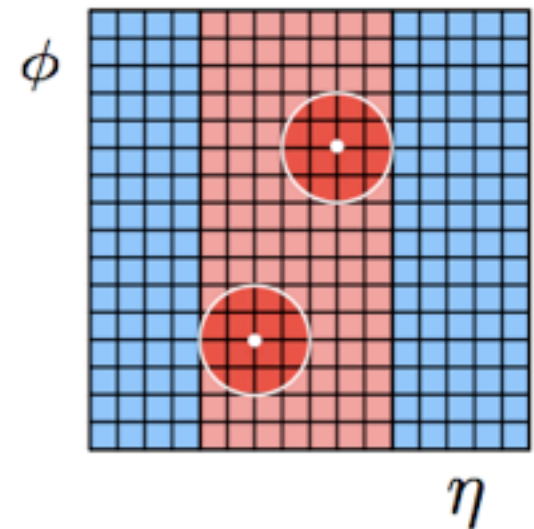
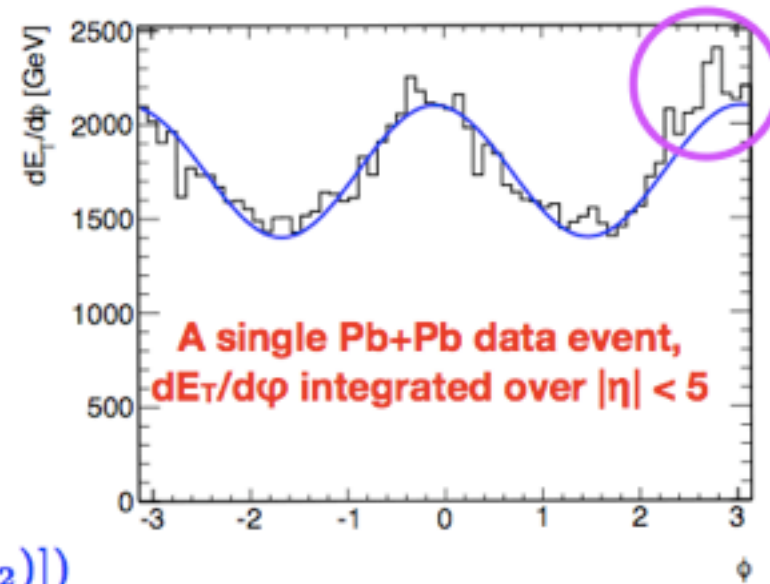


The underlying event (ATLAS)

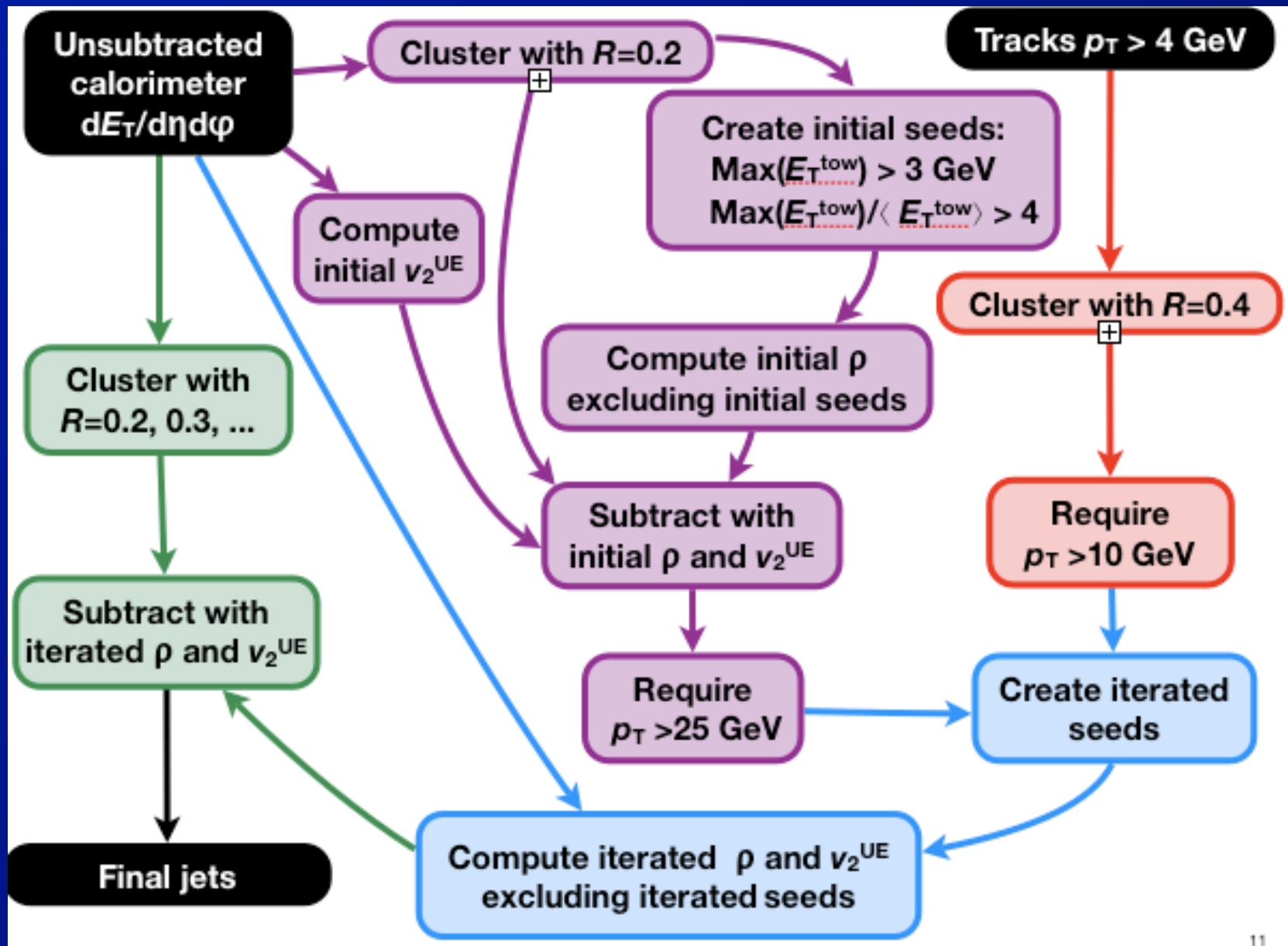
- Pb+Pb collisions present additional complications
 - collective flow in the UE
 - ➡ as large as $\pm 20\%$
 - ➡ fluctuates event to event
- Accounted for in subtraction
 - $\rho^{\text{Pb+Pb}}(\eta, \phi) = \rho(\eta)(1 + 2v_2^{\text{UE}} \cos[2(\phi - \Psi_2)])$
- With amplitude of modulation (v_2) determined event-by-event

$$v_2^{\text{UE}} = \langle E_T^i \cos[2(\phi^i - \Psi_2)] \rangle_{i \notin \text{jet}}$$

- ➡ excluding any η interval containing a seed



The underlying event (ATLAS)



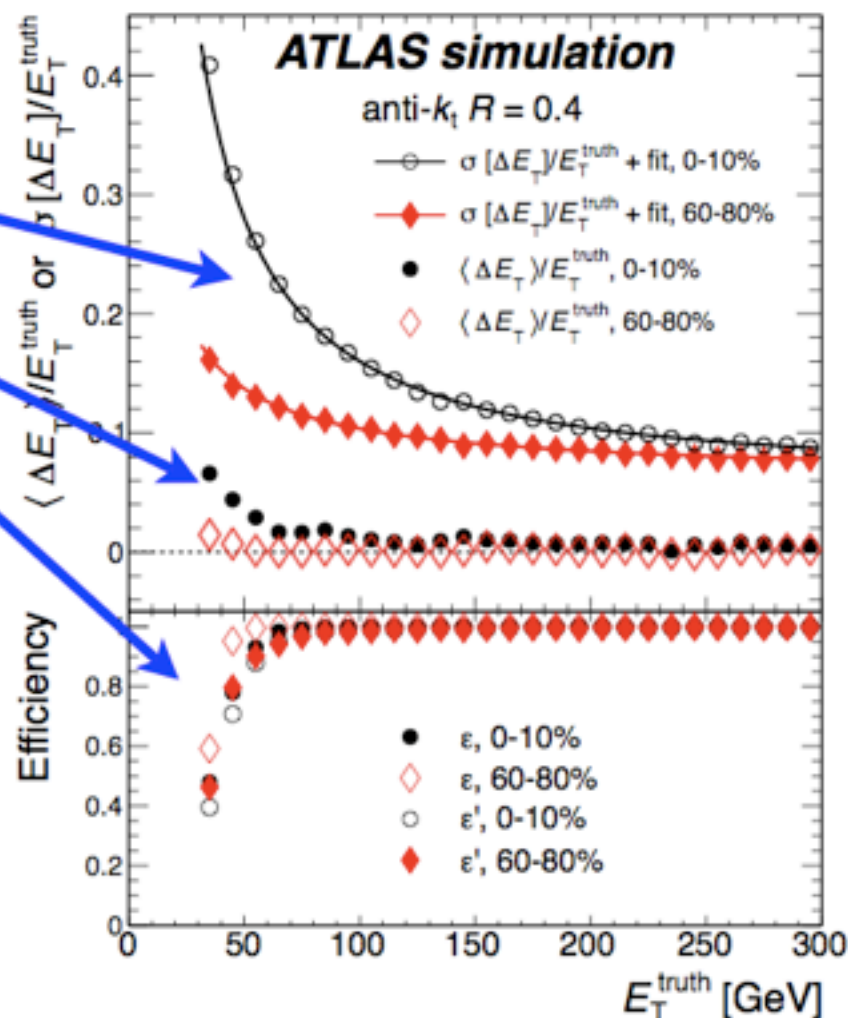
ATLAS jet performance

- Three metrics
 - Jet energy resolution
 - Jet energy scale
 - Jet reconstruction efficiency

➡ with (ϵ') and without (ϵ) fake rejection

- Of these, we only have control over JES

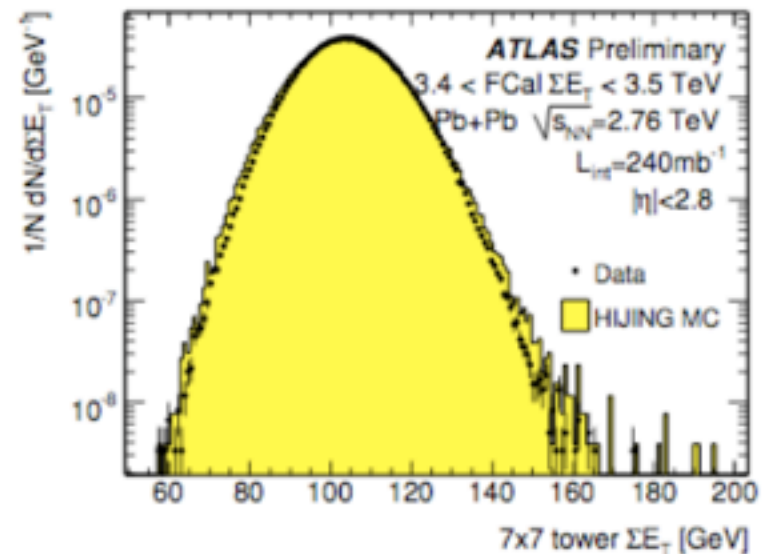
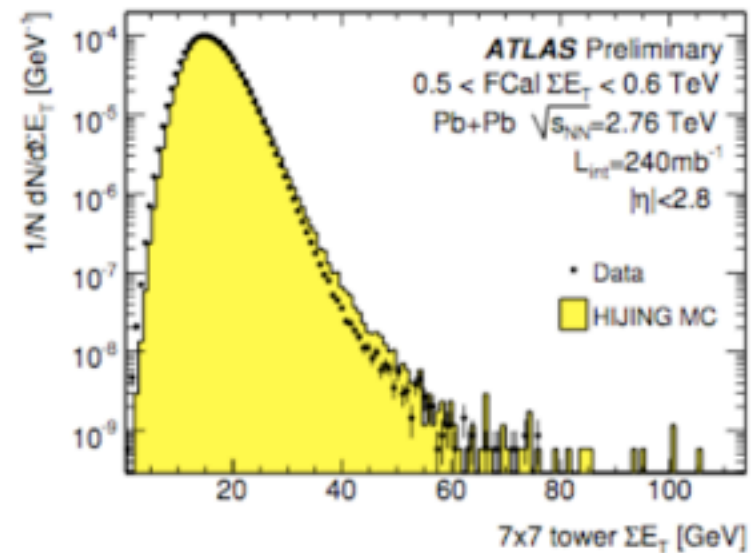
➡ Sensitive test of background subtraction



- Jet is considered not fake if within $R = 0.2$:
 - $R = 0.4$ track jet (rec. from tracks w/ $p_T > 4$ GeV), photon, or electron with $p_T > 7$ GeV

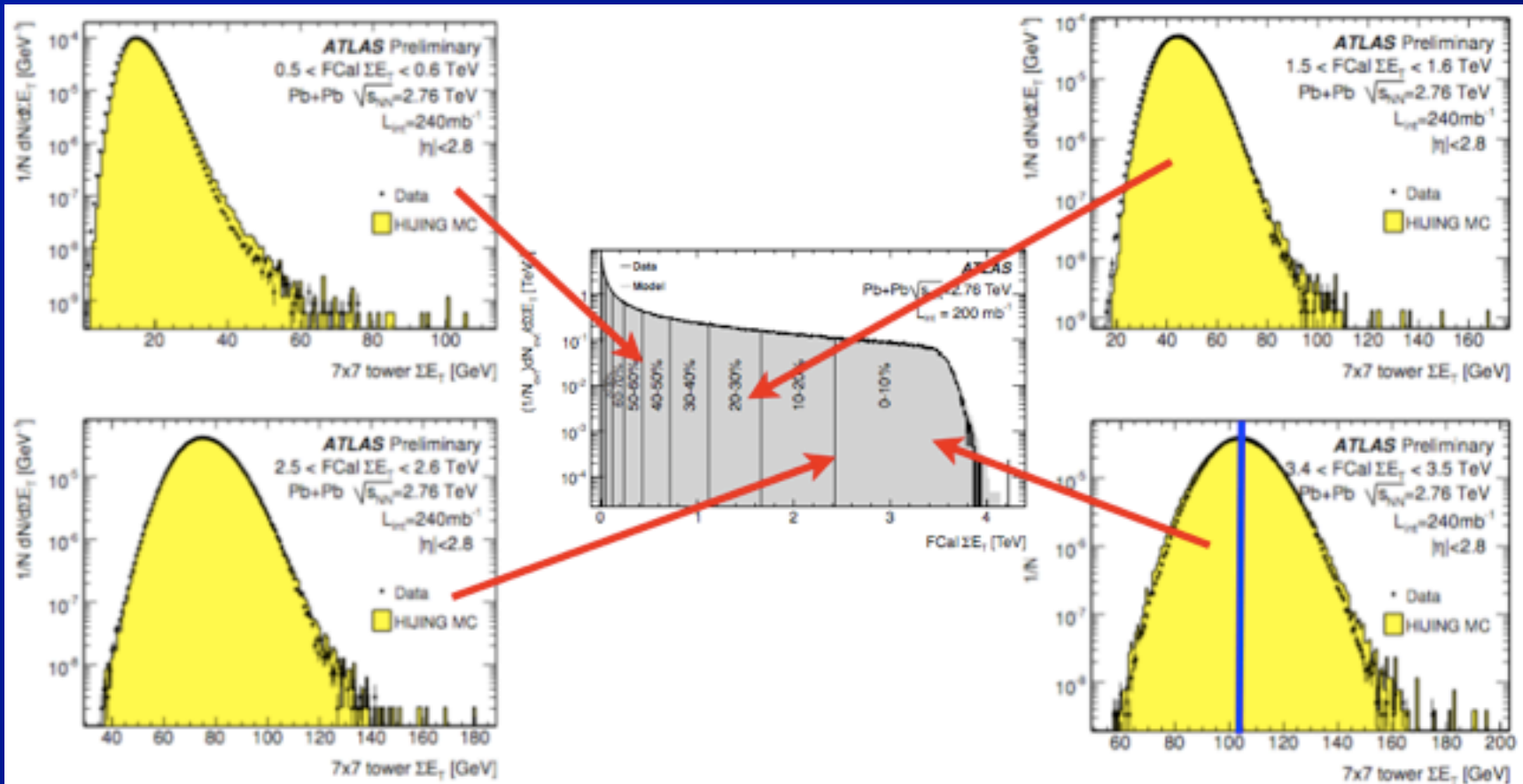
The underlying event (ATLAS)

- In minimum-bias Pb+Pb events
 - Sum **EM-scale** tower E_T over $N \times N$ groups of towers (ΣE_T)
 - N chosen to match jet sizes
 - ➔ $R = 0.4 \leftrightarrow 7 \times 7$ ($\pi \times 0.4^2 = 0.50$)
- Distributions shown to right for two different centralities
 - ➔ top: peripheral
 - ➔ bottom: central
- Observe:
 - ➔ Distributions are NOT Gaussian (Gamma dist's)



- For the student: why gamma dist's?

The underlying event (ATLAS)

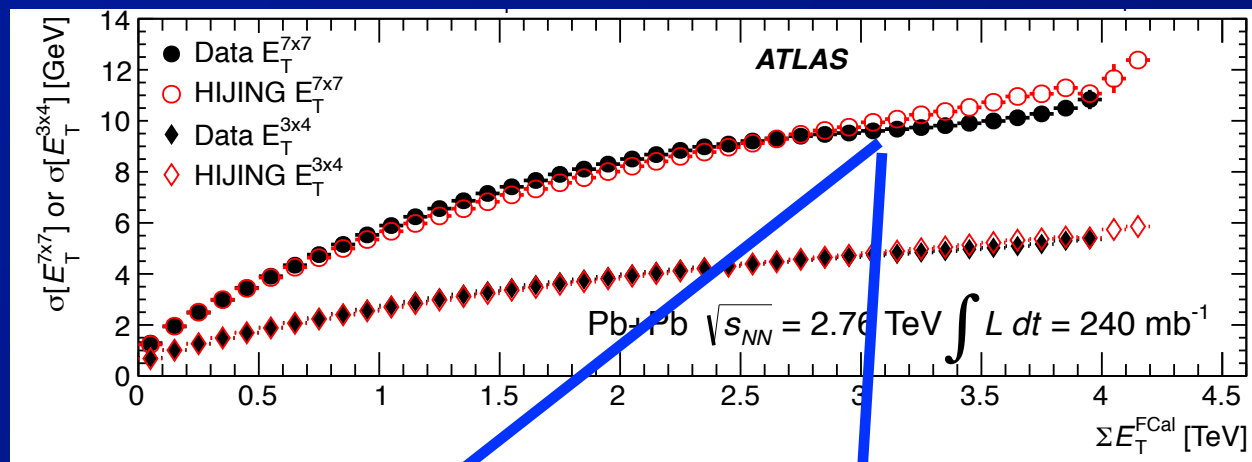


➡ In 1% most central Pb+Pb collisions, UE contributes ~100 GeV to $R = 0.4$ jet at the EM scale

- Important: subtracting the correct average energy preserves jet energy scale.
 - Fluctuations on mean affect resolution.

ATLAS jet performance (2010 data)

Data-driven
evaluation of
underlying event
fluctuations



HIJING MC
evaluation of
performance

