

**CORRIGENDUM TO “ROBUST ERROR BOUNDS FOR FINITE
ELEMENT APPROXIMATION OF REACTION-DIFFUSION
PROBLEMS WITH NON-CONSTANT REACTION
COEFFICIENT IN ARBITRARY SPACE DIMENSION”
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MARK AINSWORTH AND TOMÁŠ VEJCHODSKÝ

Lemma 1 in the above manuscript contains an error where we inadvertently wrote $d + 1$ instead of d in the expressions for C_T and \bar{C}_T . The correct statement of the result reads:

Lemma 1. *Let K be a d -dimensional non-degenerate simplex and let γ be one of its facets. Let h_K be the diameter of K and $\kappa_K \geq 0$ a constant. Let $v \in H^1(K)$ and let \bar{v}_γ denote the average value of v on γ . Then*

$$\|v\|_\gamma \leq C_T \|v\|_K \quad \text{for } \kappa_K > 0, \quad (11)$$

$$\|v - \bar{v}_\gamma\|_\gamma \leq \bar{C}_T \|v\|_K, \quad (12)$$

hold with constants $C_T, \bar{C}_T > 0$ given by

$$C_T^2 = \frac{|\gamma|}{d|K|} \frac{1}{\kappa_K} \sqrt{(2h_K)^2 + (d/\kappa_K)^2},$$

$$\bar{C}_T^2 = \frac{|\gamma|}{d|K|} \min\{h_K/\pi, \kappa_K^{-1}\} (2h_K + d \min\{h_K/\pi, \kappa_K^{-1}\}).$$

The proof of Lemma 1 goes in an unchanged form, but the three occurrences of $d + 1$ should be replaced by d .

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MARK AINSWORTH, DIVISION OF APPLIED MATHEMATICS, BROWN UNIVERSITY, 182 GEORGE STREET PROVIDENCE, RI 02912, USA

E-mail address: mark.ainsworth@brown.edu

TOMÁŠ VEJCHODSKÝ, INSTITUTE OF MATHEMATICS, ACADEMY OF SCIENCES, ŽITNÁ 25, CZ-115 67 PRAGUE 1, CZECH REPUBLIC

E-mail address: vejchod@math.cas.cz

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